

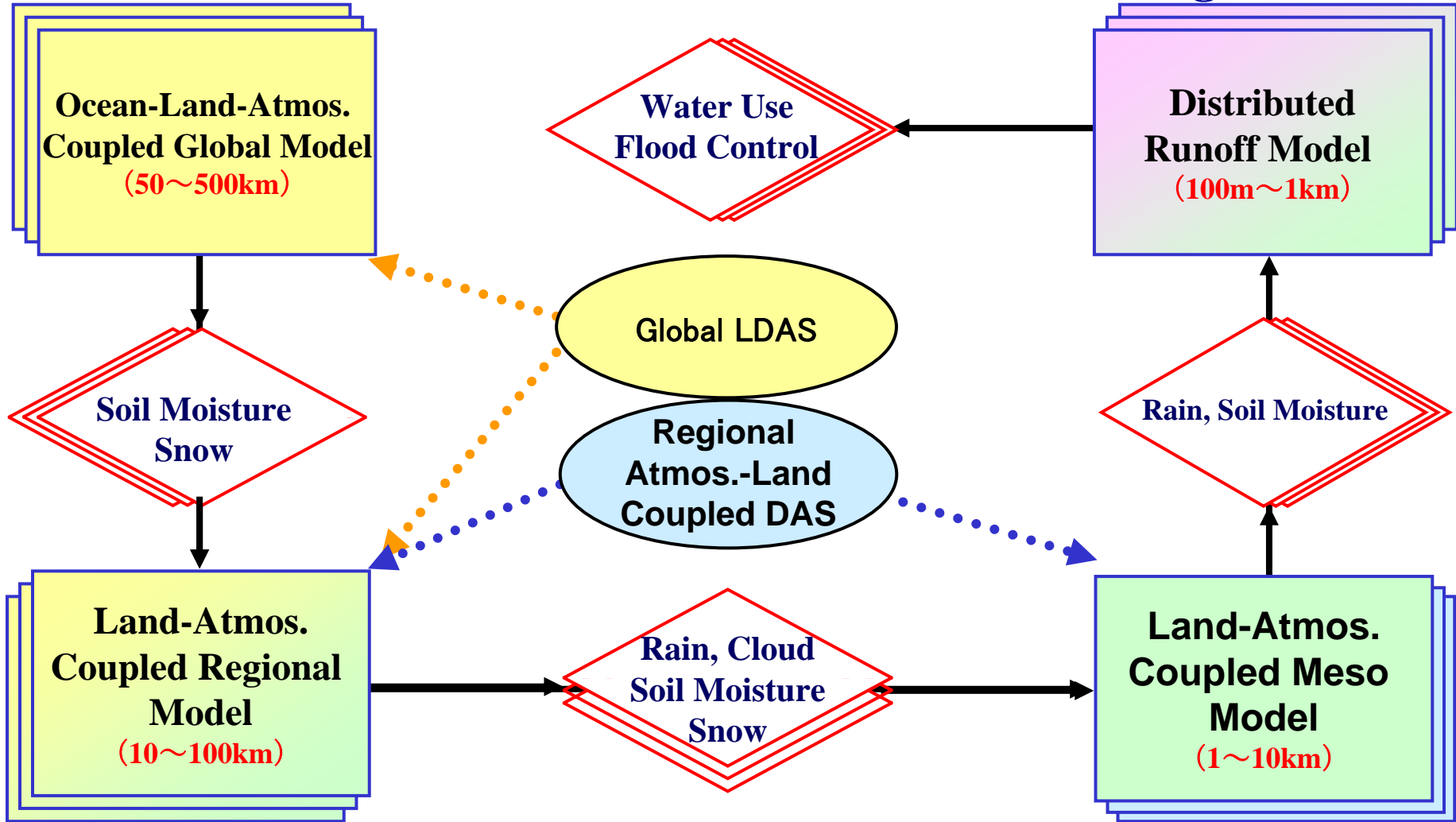
Atmosphere-Land Coupled Data Assimilation by Using Satellite Microwave Radiometers

**T. Koike, D. Kuria, H. Lu, S. Boussetta, C. R. Mirza, H. Tsutsui (UT)
H. Fujii (JAXA)
K. Yang (ITP/CAS)
X. Li, R. Jin (CAREERI/CAS)**

**The 3rd WCRP International Conference on Reanalysis
Tokyo, Jan. 28 – Feb. 1, 2008**

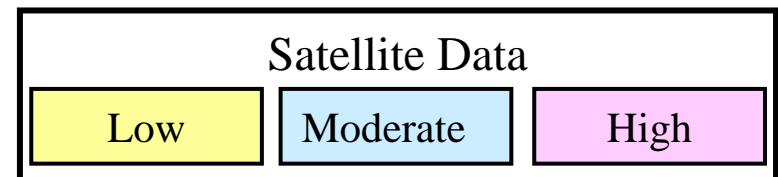
Global ⇔ Regional-Meso ⇔ River Basin

Satellite Data Assimilation and Down-scaling

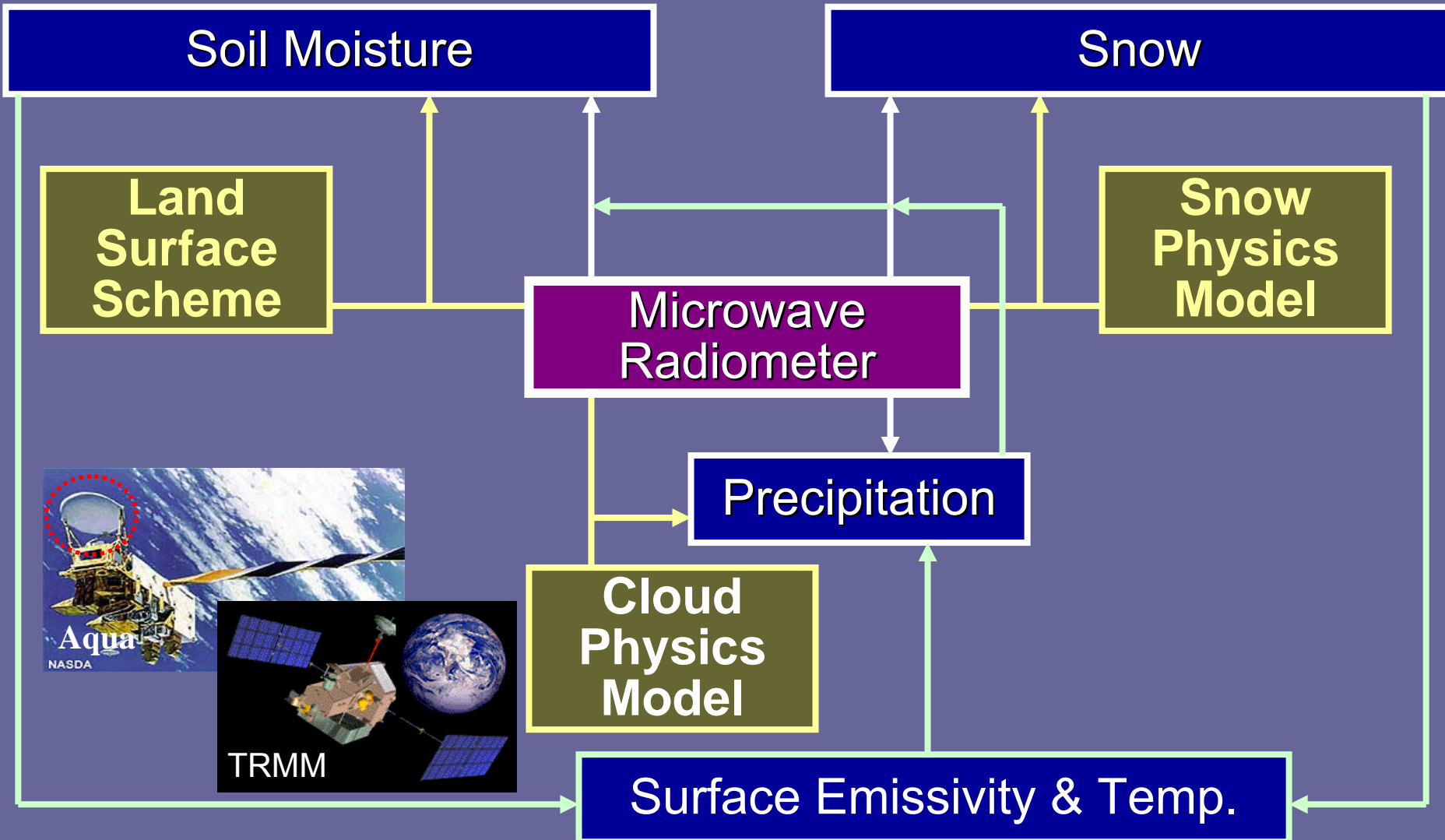


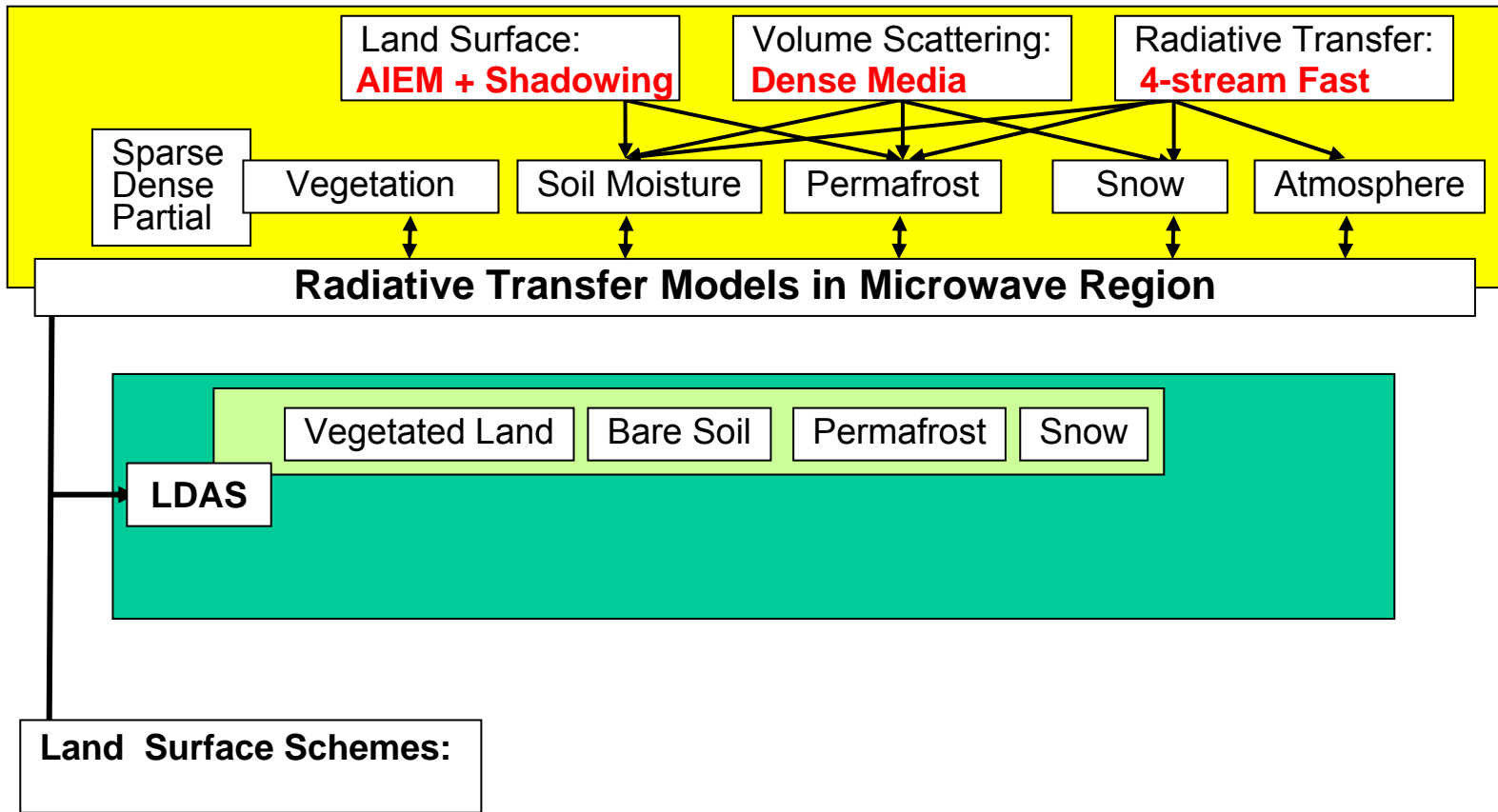
Short Forecasting : Initial Condition

Long-term Forecasting: Boundary Condition

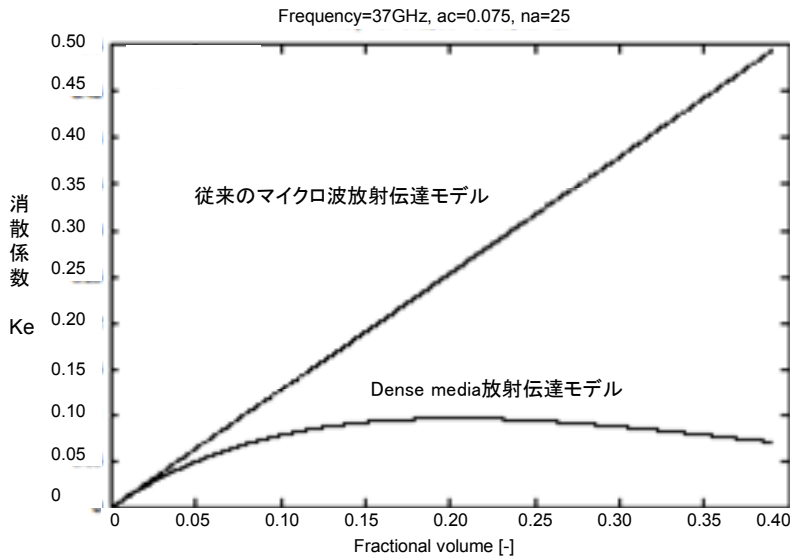
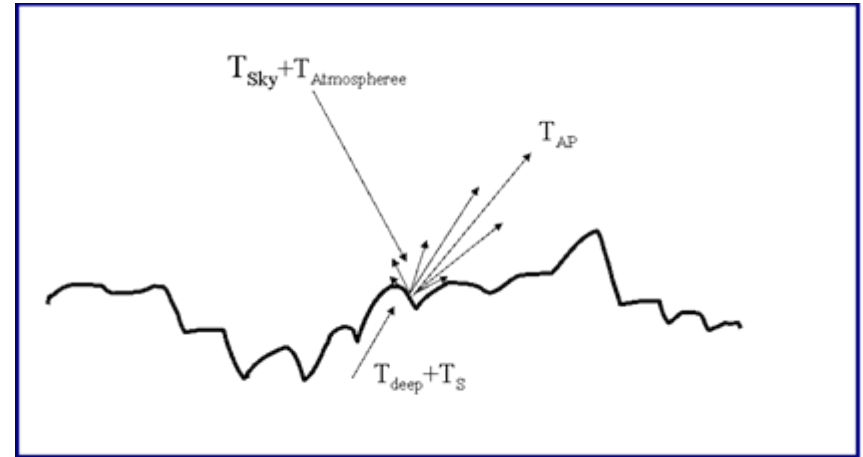
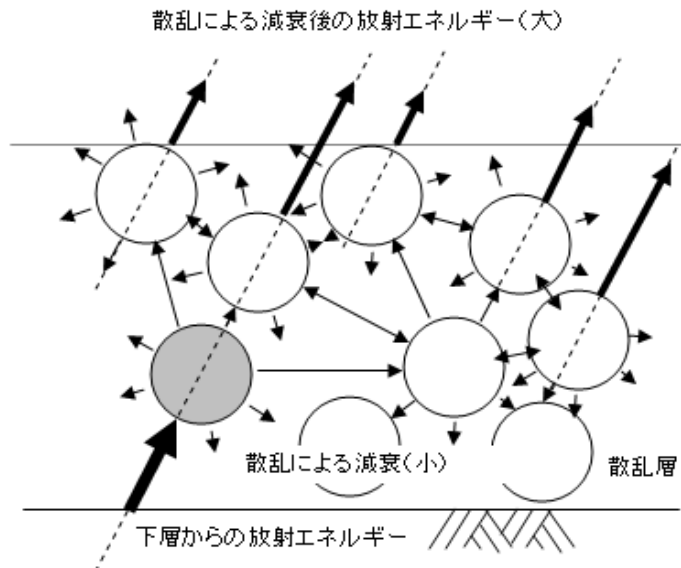


Microwave Remote Sensing





Application of DMRT & Surface Models to Soil



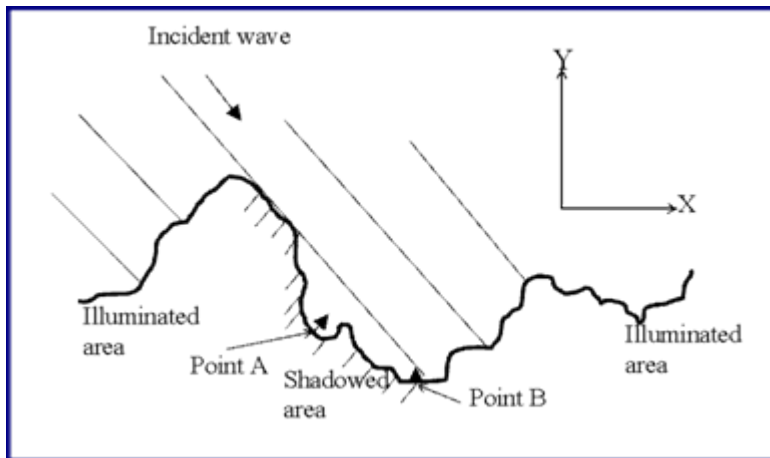
Qh (Wang and Choudhury, 1981)

AIEM (Chen et al., 2003)

Qp (Shi et al., 2005)

Introduction of the Shadowing Effect

Sancer, 1969



$$S(\theta_s, \theta_i) = \begin{cases} \frac{1}{1 + \Lambda(\mu_s)} & \theta_s \geq \theta_i \\ \frac{1}{1 + \Lambda(\mu_i)} & \theta_s \leq \theta_i \\ \frac{1}{\Lambda(\mu_s) + \Lambda(\mu_i) + 1} & \text{otherwise} \end{cases}$$

where $\mu = \cot \theta$

$$\Lambda(\mu) = \frac{1}{2} \left[\sqrt{\frac{2}{\pi}} \frac{s}{\mu} e^{-\mu^2/2s^2} - \operatorname{erfc} \left(\frac{\mu}{\sqrt{2}s} \right) \right]$$

$$R_p^e = r_p \cdot \exp \left[-(2 \cdot k\sigma \cdot \cos \theta)^2 \right] \cdot S(\theta, \theta)$$

$$+ \frac{1}{4\pi \cos \theta} \times \int_0^{2\pi} \int_0^{\pi/2} \left[\sigma_{pp}(\theta, \theta_j, \phi_j) \cdot S(\theta, \theta_j) + \sigma_{pq}(\theta, \theta_j, \phi_j) \cdot S(\theta, \theta_j) \right] \times \sin \theta_j \cdot d\theta_j \cdot d\phi_j$$

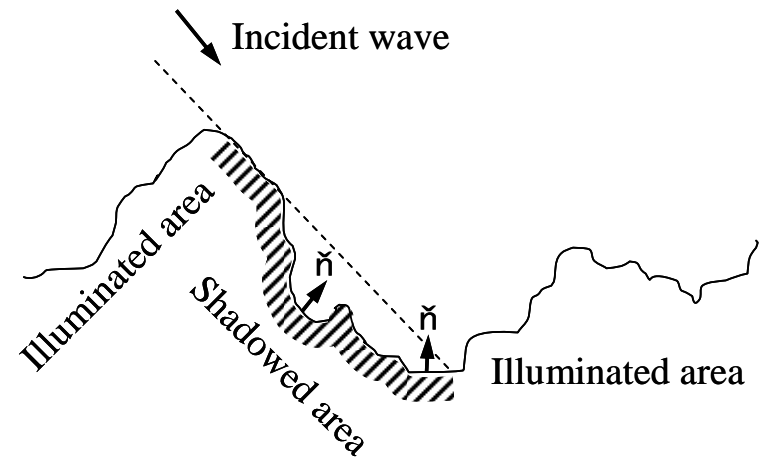
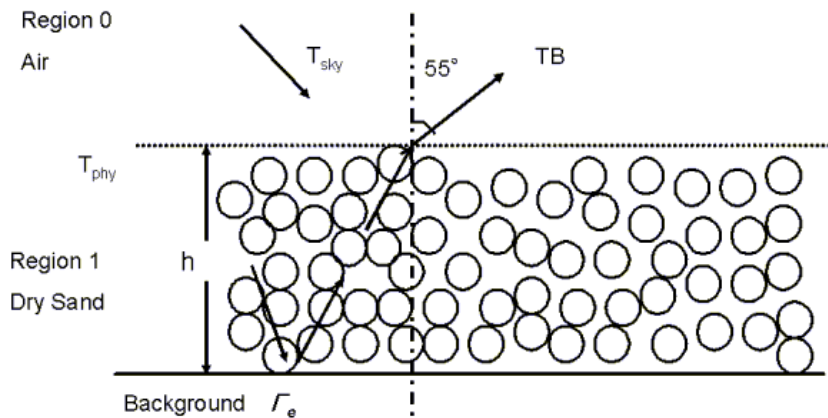
AIEM using the Discrete Ordinate Method (DOM), 4-stream

18.7/23.8/36.5/89GHz

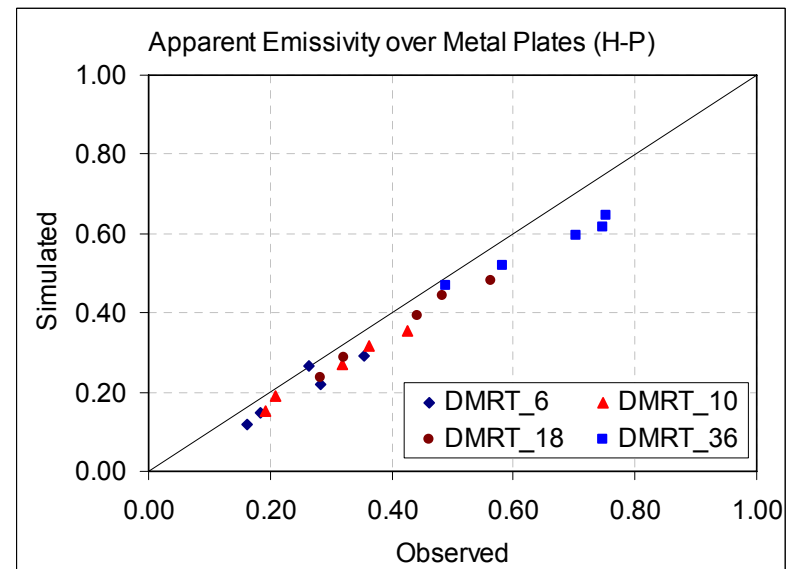
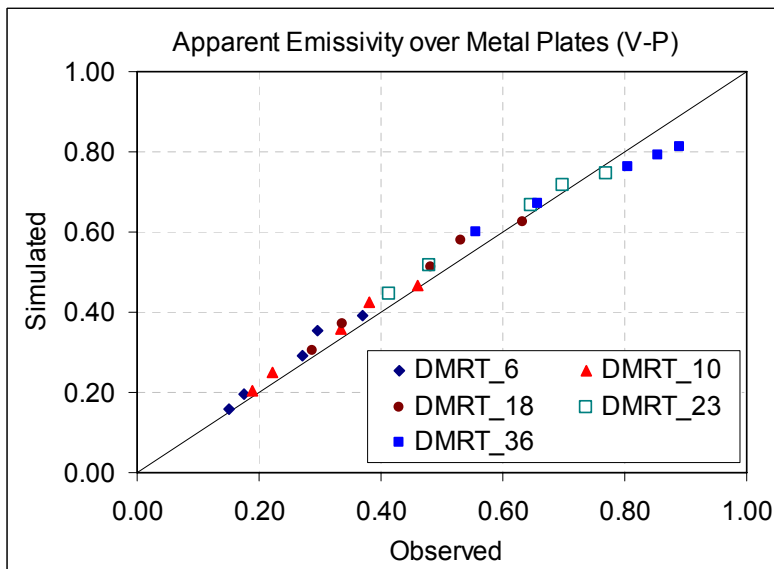
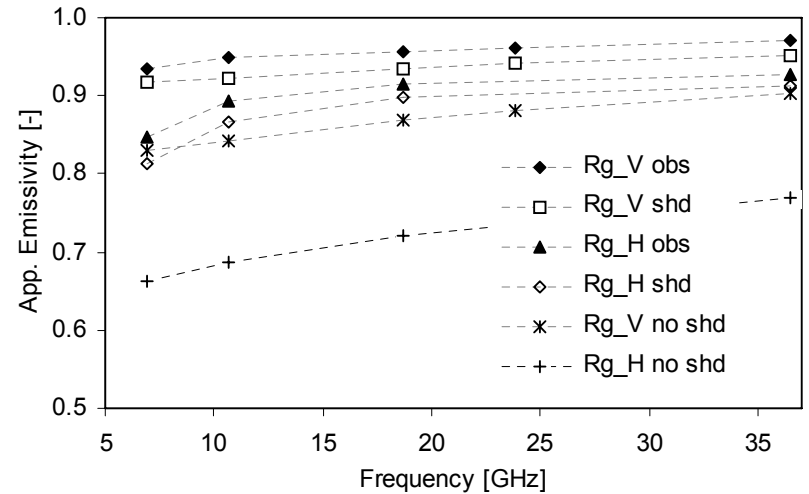
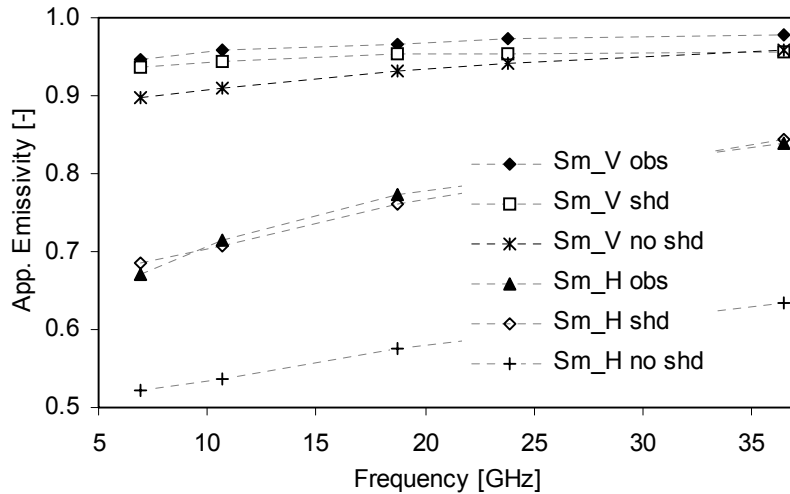
6.9/10.7/18.7GHz

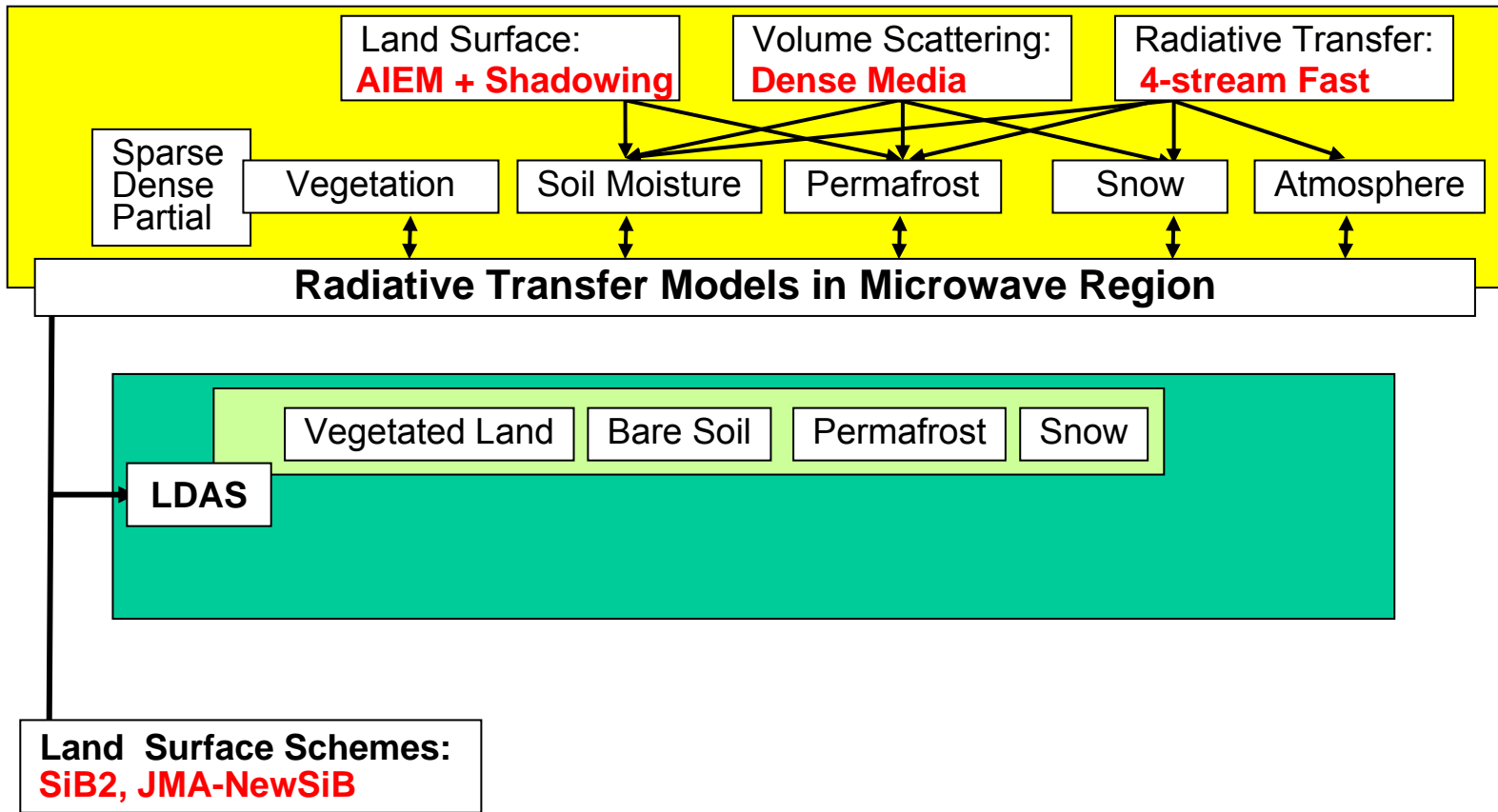


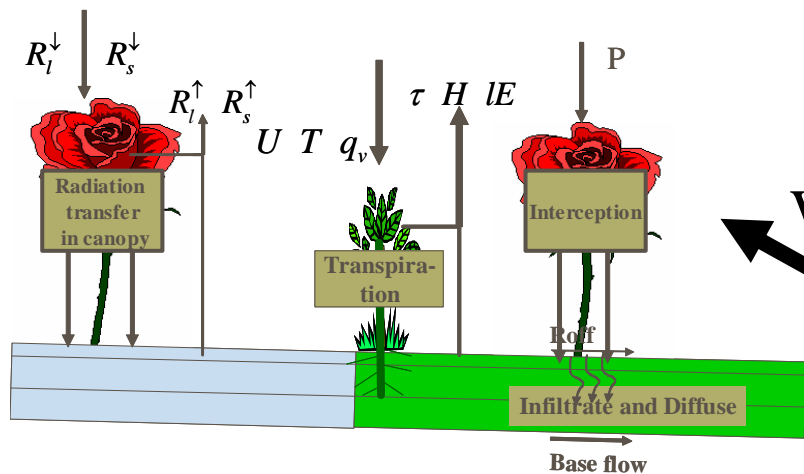
GBHM Experiments



DMRT + AIEM Model + Shadowing Effect: Validation in Tokyo







Revised SiB2 / JMA new SiB

T_g , T_c , W_{sfc}

W_{sfc}

Min: cost function
 $F(Tb_{obs} - Tb_{sim})$

Tb_{obs}

Tb_{sim}

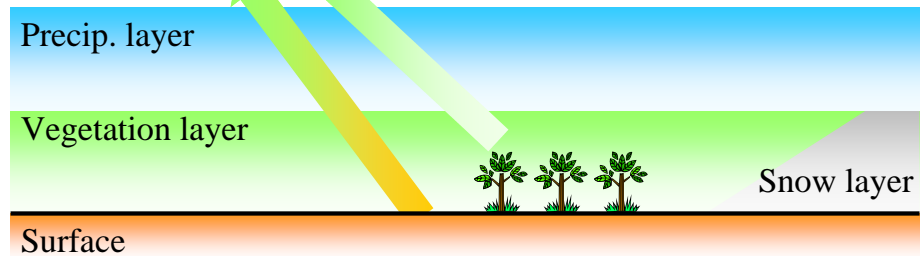
$$T_{bp} = T_g (1 - \Gamma_p) \exp(-\tau_c) + T_c (1 - \omega) [1 - \exp(-\tau_c)] [1 + \Gamma_p \exp(-\tau_c)],$$

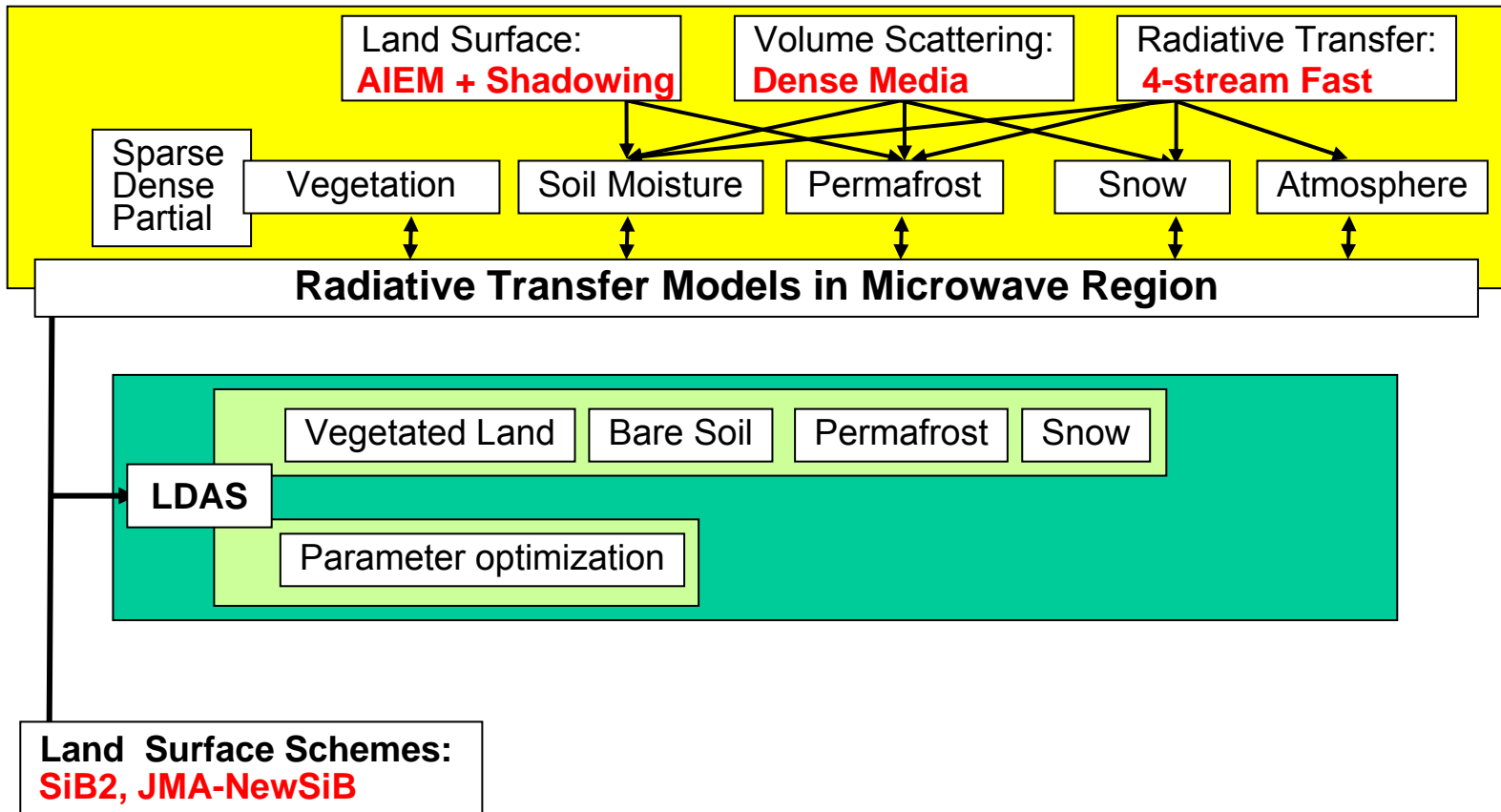
Surface radiation

Vegetation emission

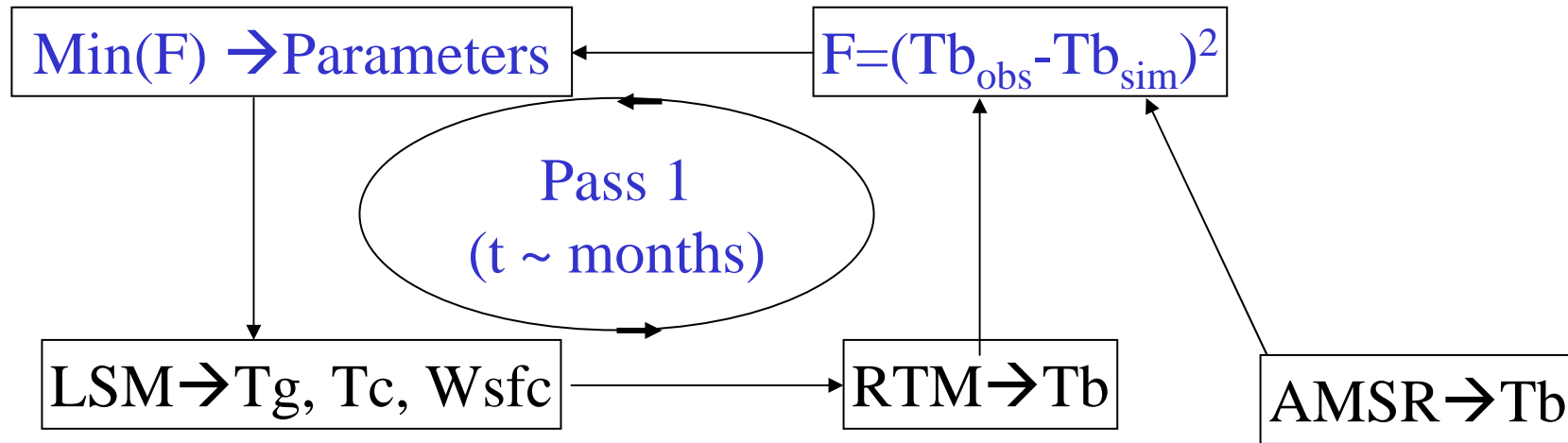


Radiative transfer model

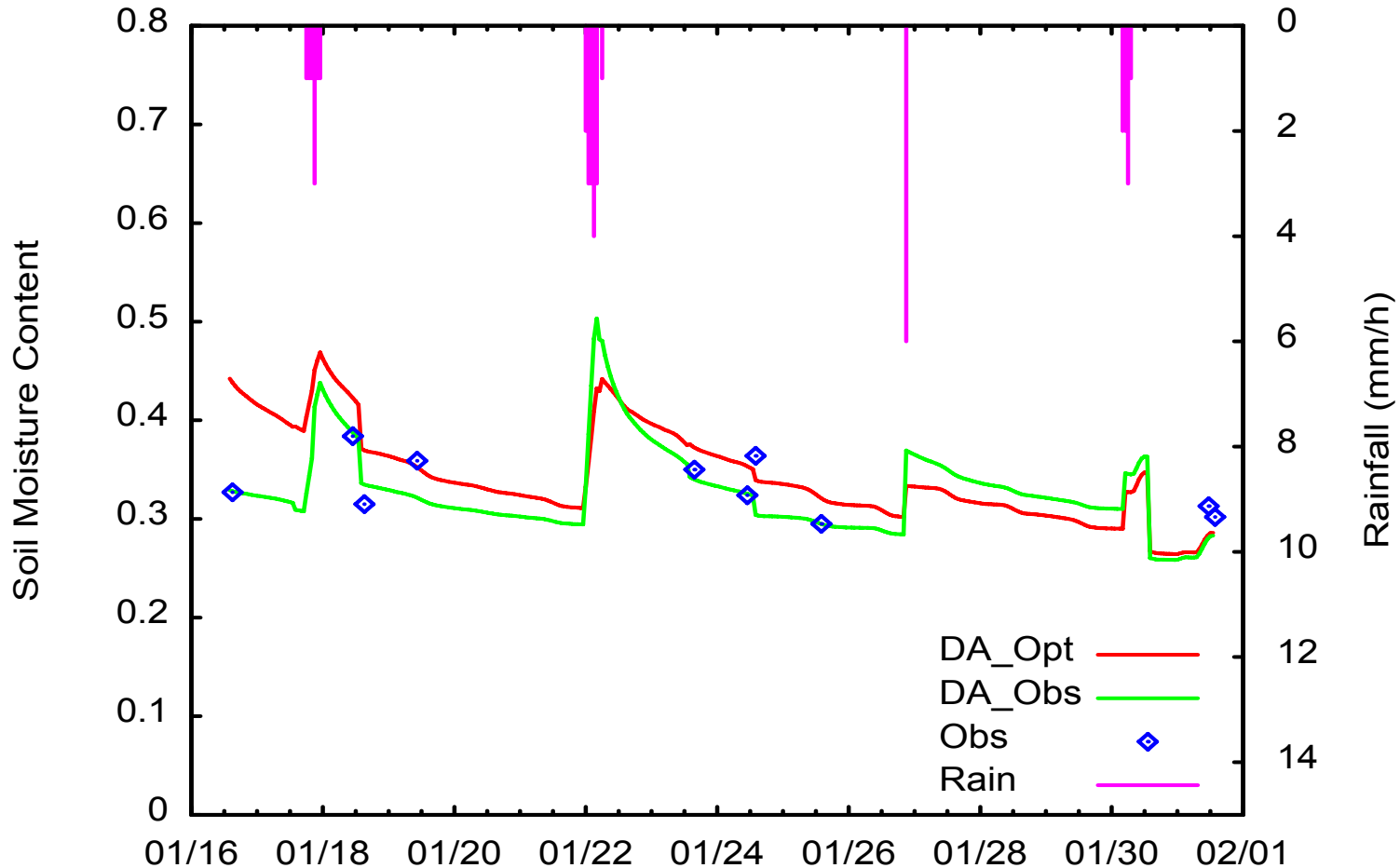




Parameter Optimization



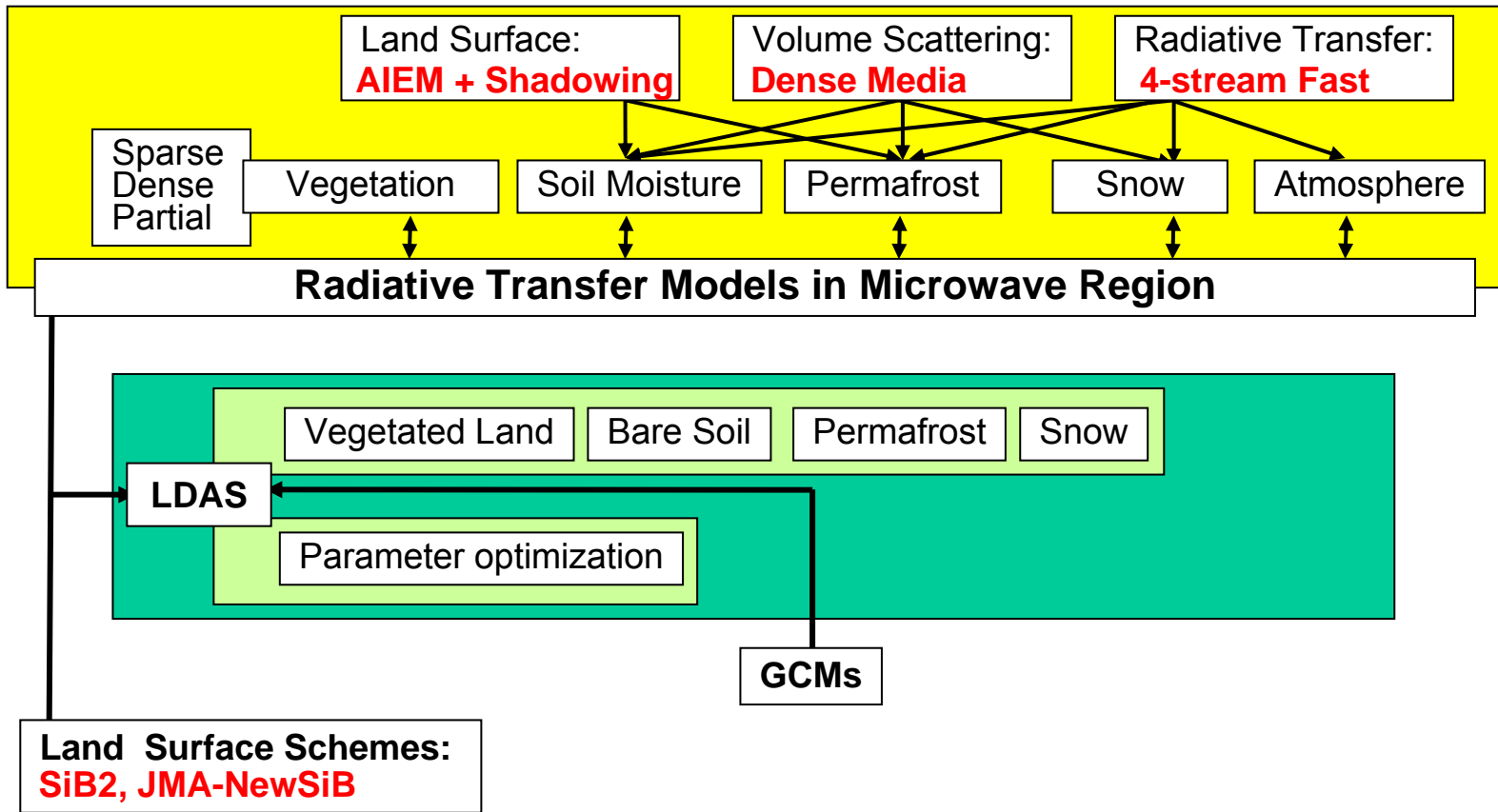
Parameter Optimization in Tanashi Exp.-- without vegetation effect



Good estimation of soil moisture

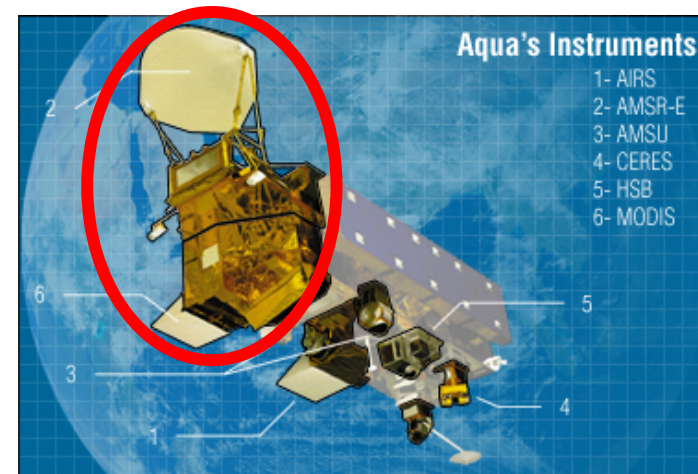
Optimized parameters in Mongolia

	A3	C2	E4	G6	H7	Used
sand(%)	46	40	42	46	39	60
clay(%)	18	20	20	20	19	20
bulk density (g/cm ³)	1.40	1.52	1.51	1.46	1.53	1.258
rms h (cm)	0.38	0.40	0.25	0.25	0.20	0.34
Correlation I (cm)	0.44	0.49	0.33	0.33	0.34	0.72

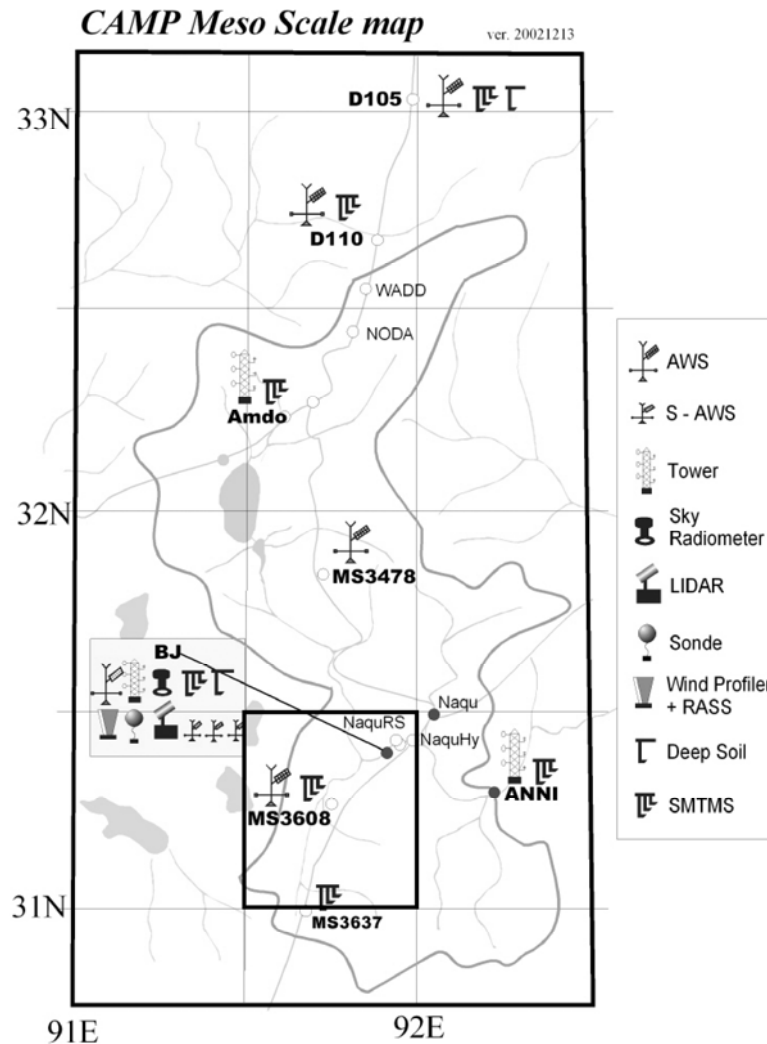


Input Data → High Applicability in Any Region

- LDAS-UT grid size: 0.5 degree
- Forcing
 - GPCP precipitation: 1 degree
 - ISCCP radiation: 2.5 degree
 - NCEP reanalysis: 1.5 degree
- Leaf area index: MODIS
- Microwave Tb: AMSR-E



First application: A case at CEOP Tibet site



Items	Station (depth)
Precipitation	BJ
Radiation	BJ
Surface temperature	BJ, MS3608
Near-surface	BJ, MS3608 (4cm)
soil moisture	S-AWS1, S-AWS3 (0-5 cm) SSMTMS (0-3 cm)
Turbulent fluxes	BJ (3m, 20m)

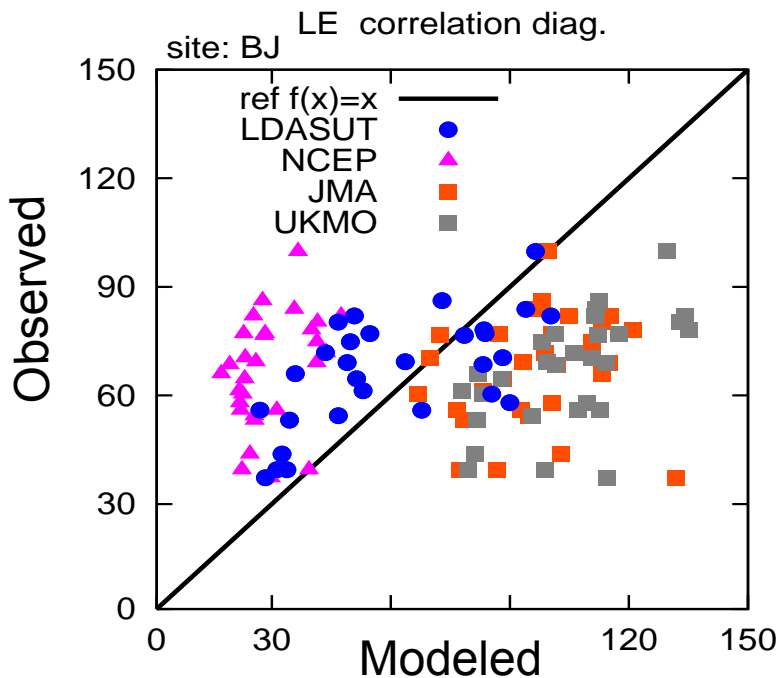
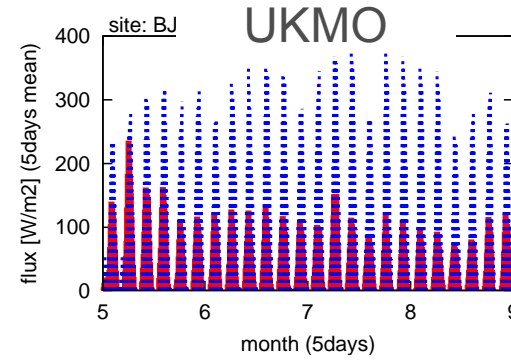
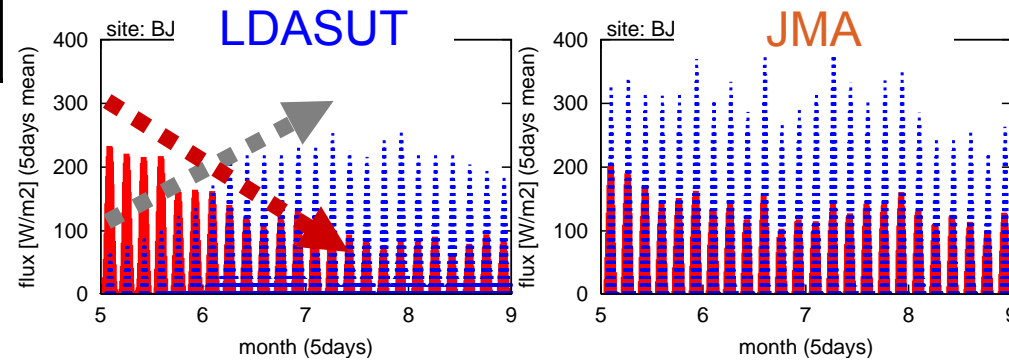
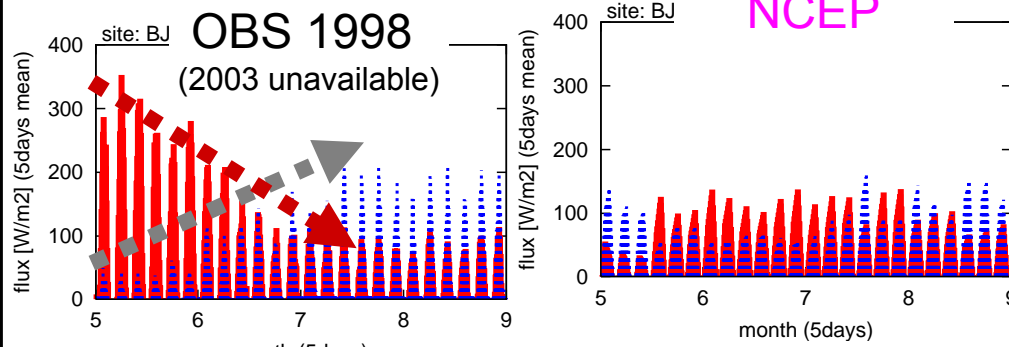
LDASUT- GCMs

LE daily-mean (June)

	H RMSE [W/m ²]	LE RMSE [W/m ²]
LDASUT	32.0	42.5
NCEP	40.2	68.4
JMA	32.3	79.8
UKMO	35.3	80.1

Seasonal variation
(May - September)

Sensible(H) —
Latent(LE) —

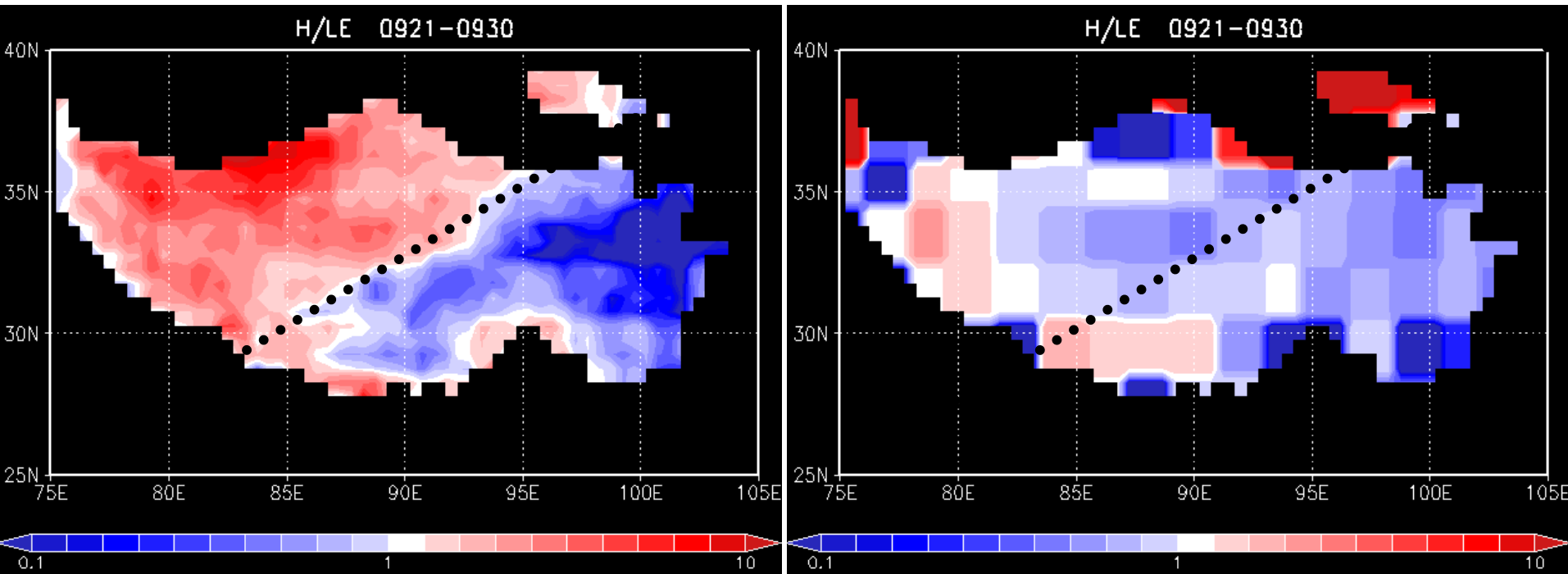


(Yang, Koike et al.,2007)

Seasonality of distributed Bowen Ratio: Sensible Heat Flux/Latent Heat Flux

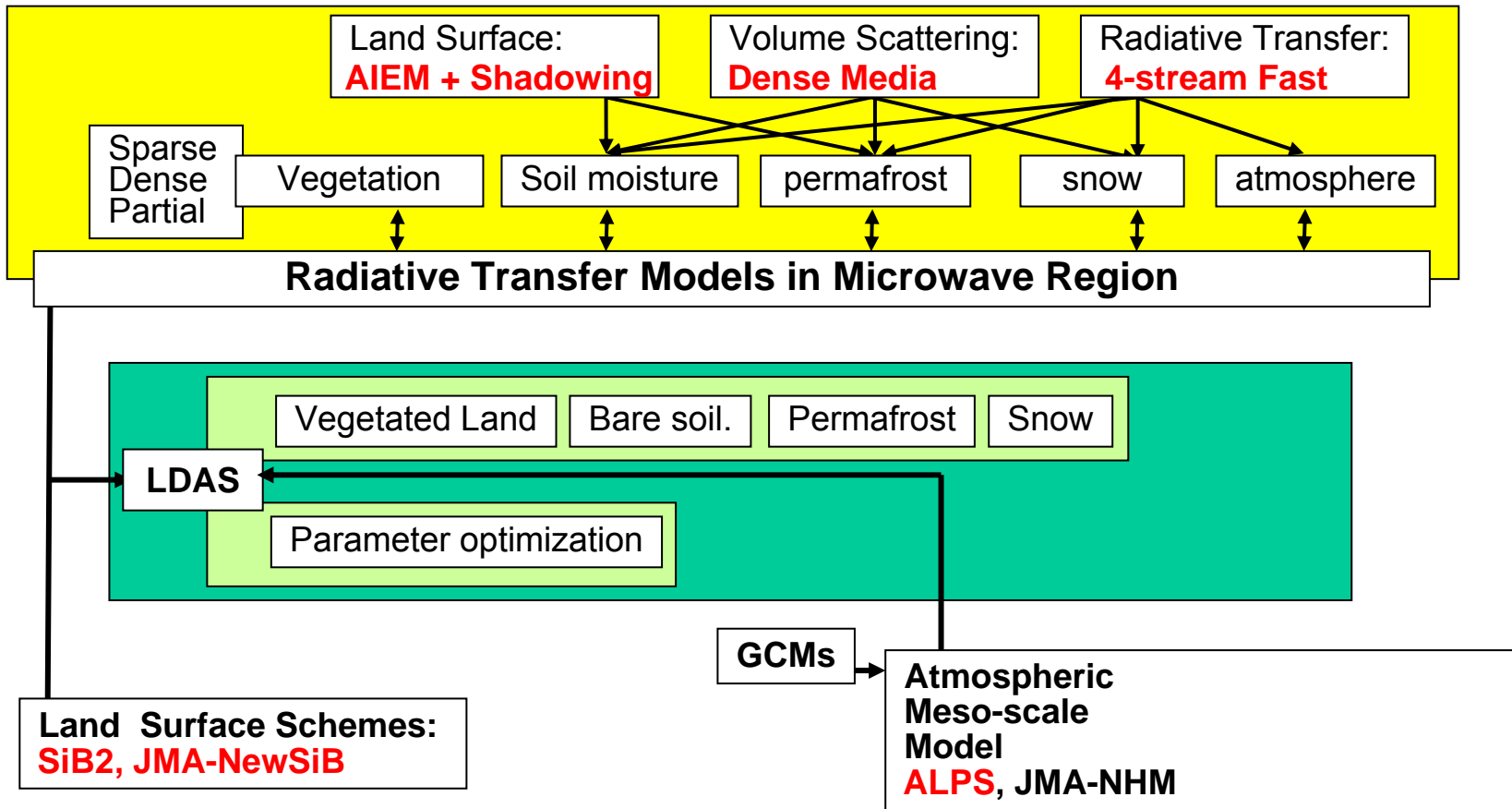
LDASUT

NCEP



LDAS Seasonality: May~Mid June, $H > LE$; Mid June~Aug; $LE > H$

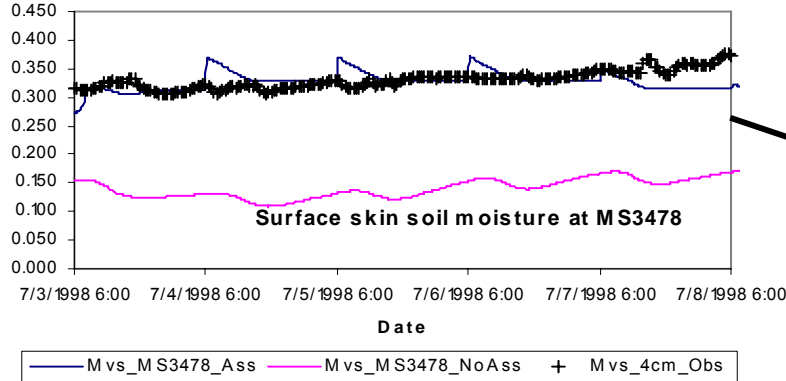
LDAS Regionality: H is dominant in N.W. TP, LE is dominant in S.E. TP



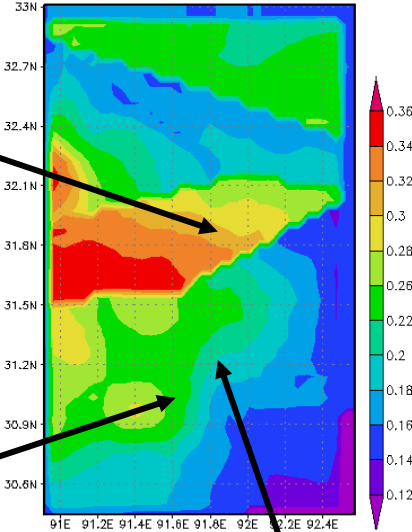
soil moisture

Assimilation

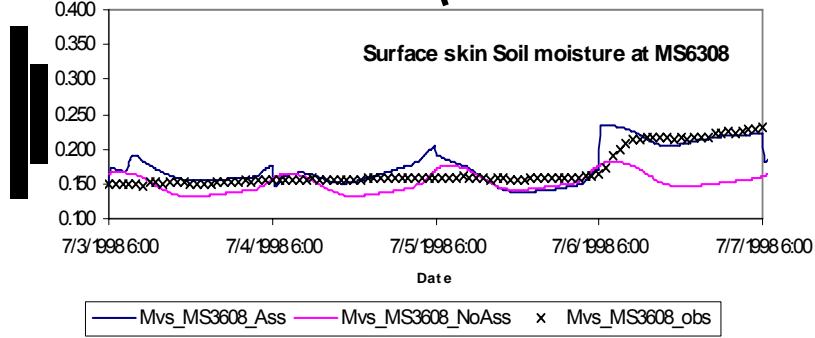
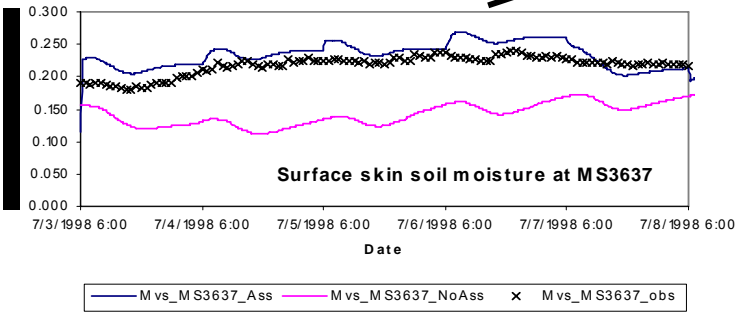
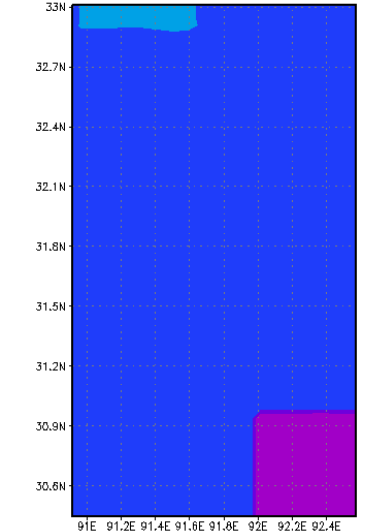
No Assimilation



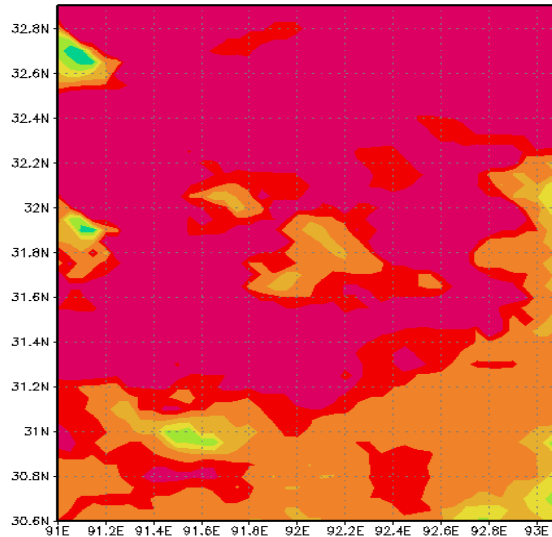
Average Surface soil Moisture [m³/m³] at 12LT - Assimilation



Average Surface soil Moisture [m³/m³] at 12LT - No Assimilation



GMS5 Ic Convective Index
1998 July 3 at t= 12LT



No Assimilation case

3-D Run No Ldas case
Vertical Wind

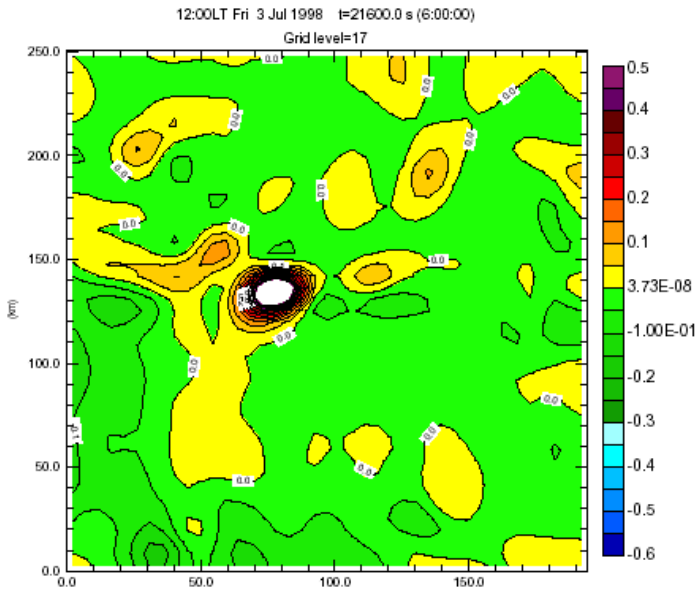
Boudary and initial atmospheric condition are from Game Reanalysis ver 1.0

Assimilation case

3-D Run Using a Variational LDAS scheme for soil moisture initialization
Vertical wind

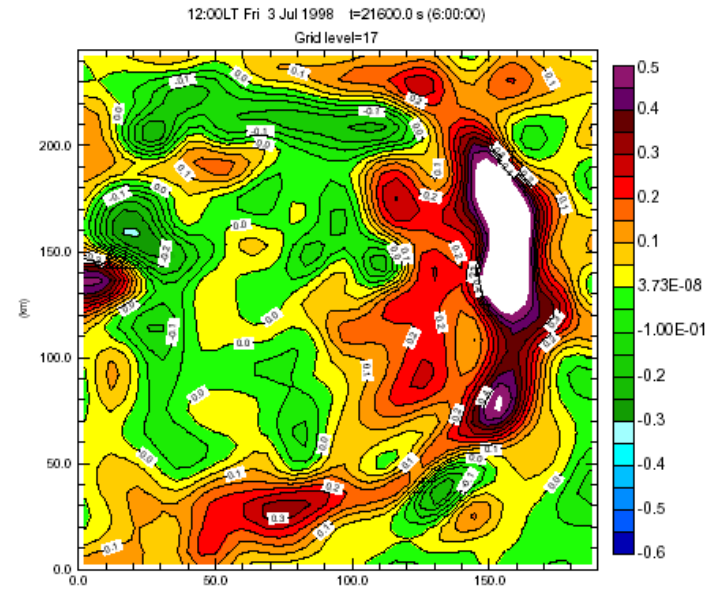
2005-1 Boudary and initial atmospheric condition are from Game Reanalysis ver 1.5

GMS IR1-based
convective Index



Vertical Wind field

Min=-.173 Max=0.839 Inc=0



Vertical Wind field

Min=-.309 Max=0.944 Inc=0.500E-01

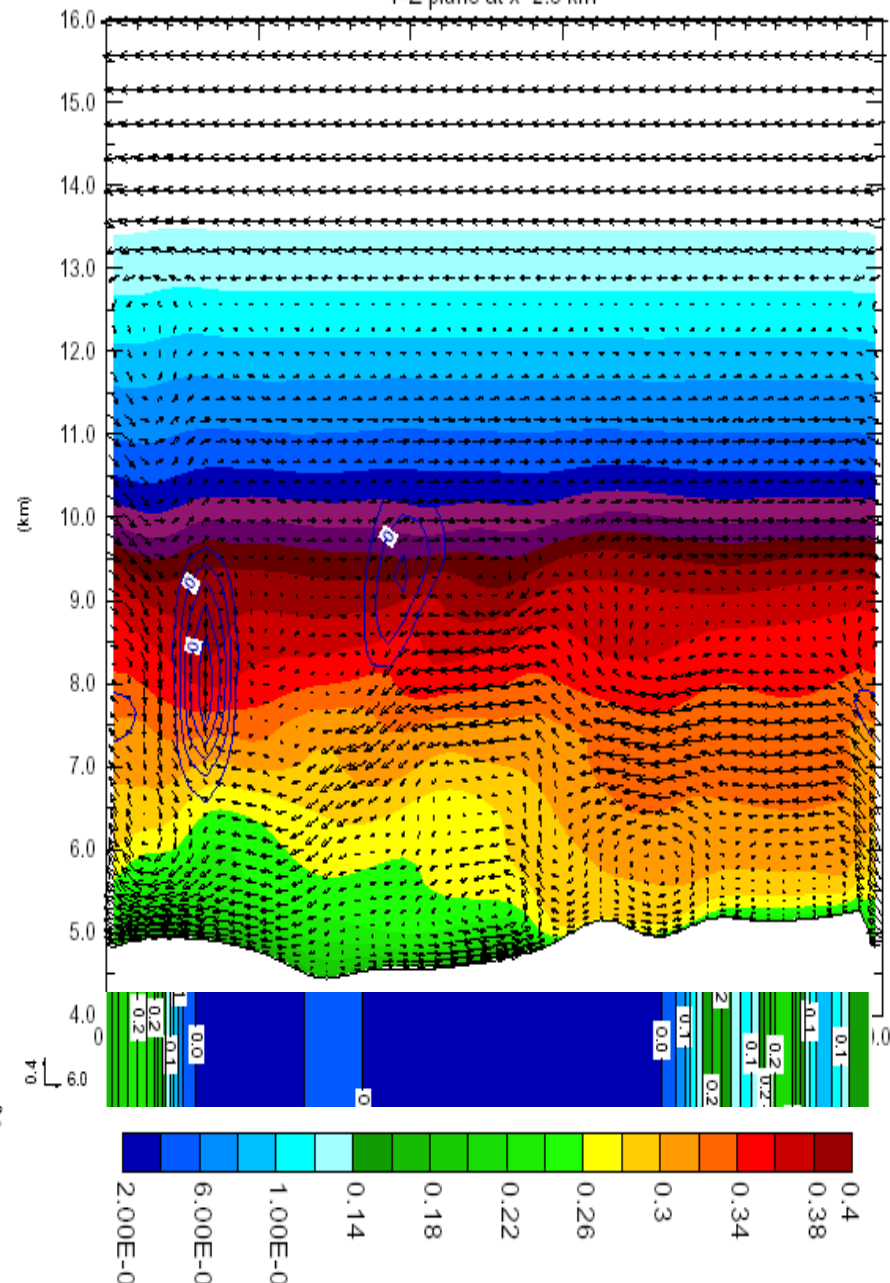
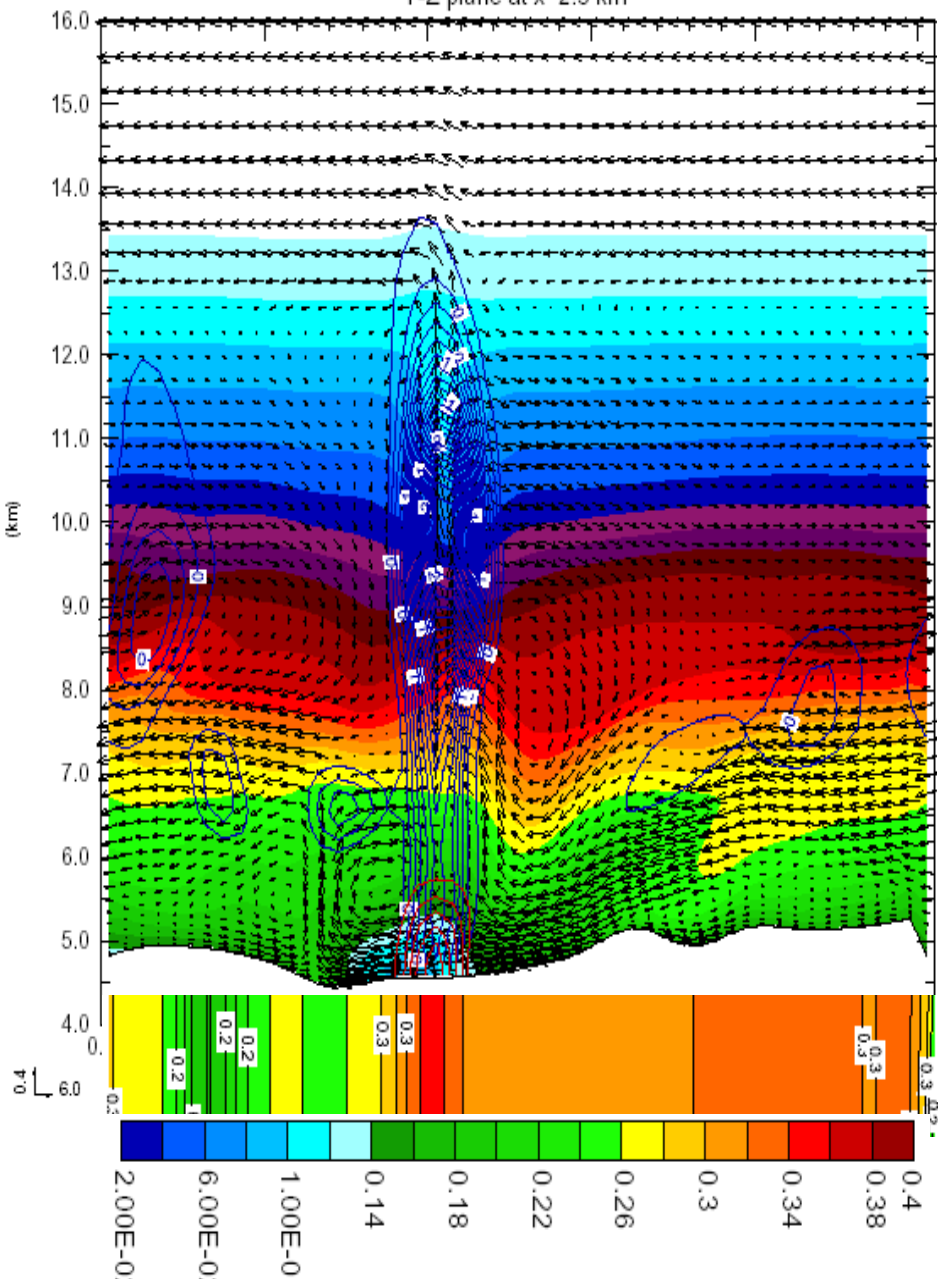
Boussetta & Koike, 2007

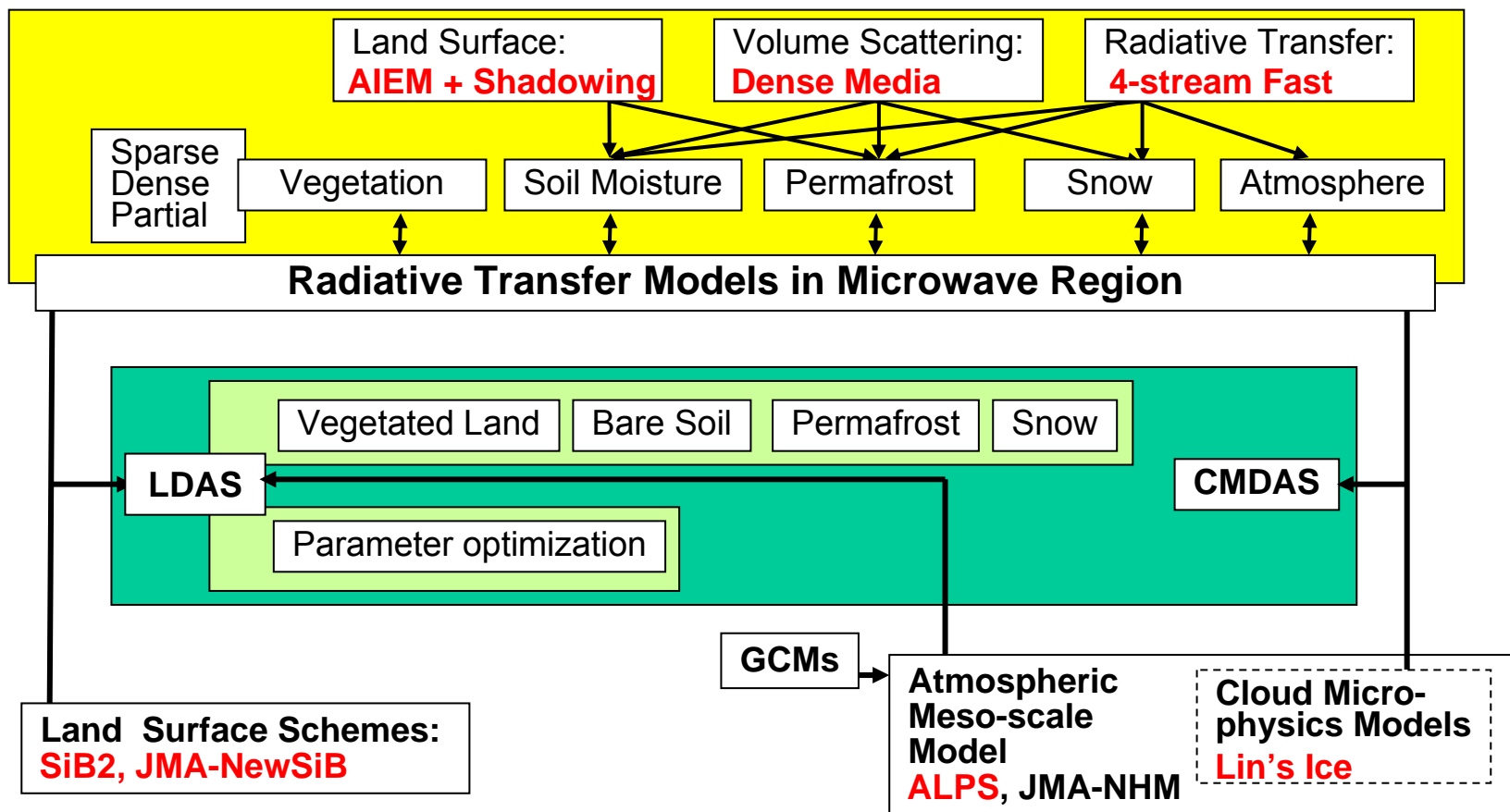
20:00LT Thu 9 Jul 1998 t=396000.0 s (**:00:00)

20:00LT Thu 9 Jul 1998 t=396000.0 s (**:00:00)

Y-Z plane at x=2.5 km

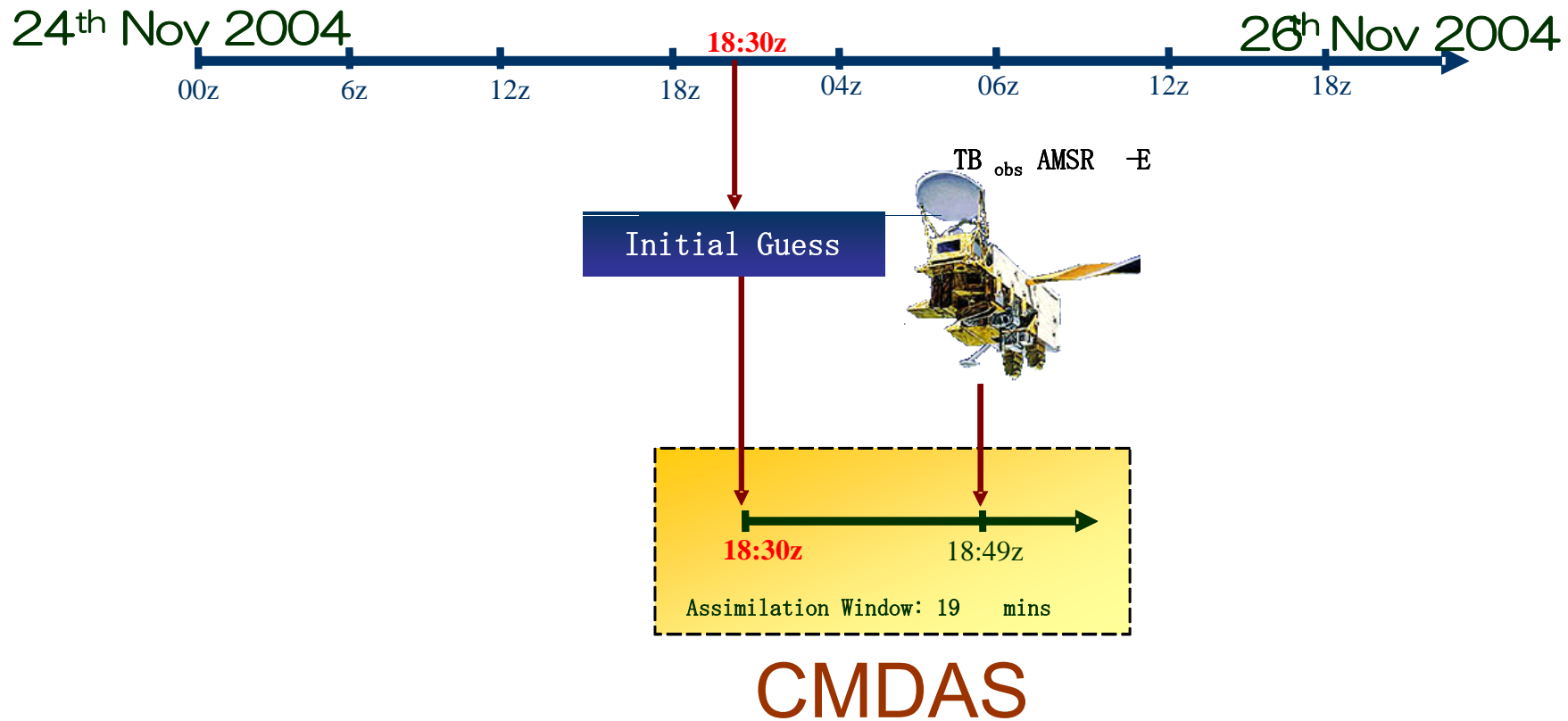
Y-Z plane at x=2.5 km



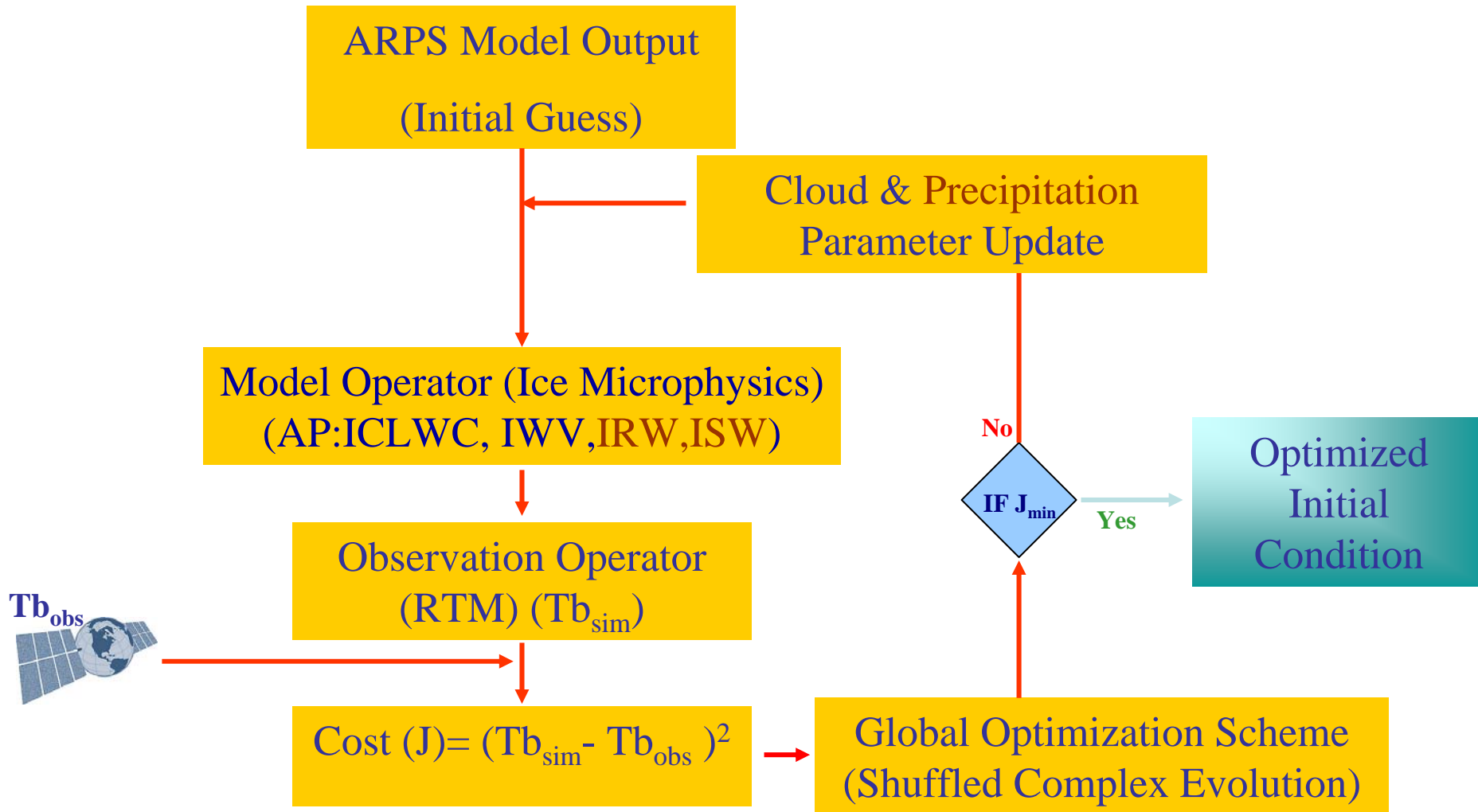


Practical Approach

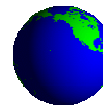
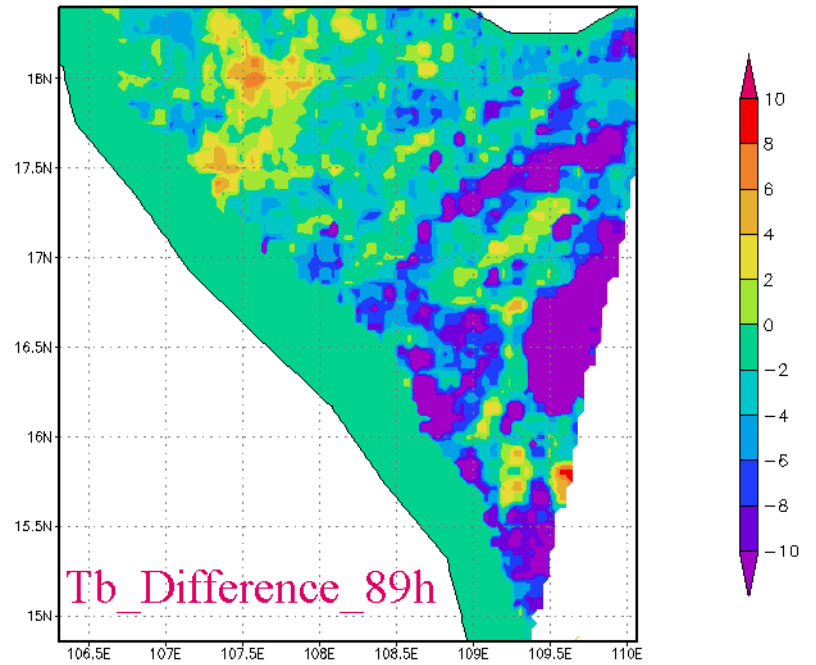
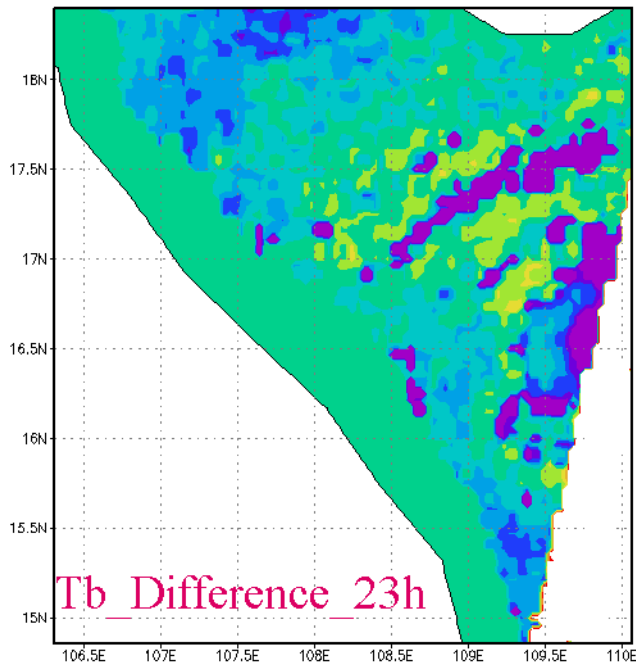
ARPS Model Simulation



CMDAS Framework

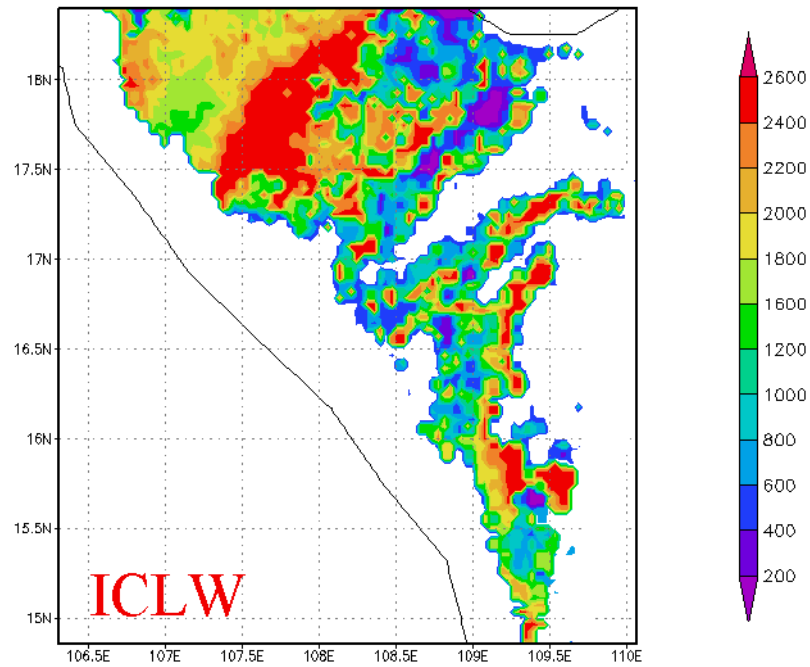
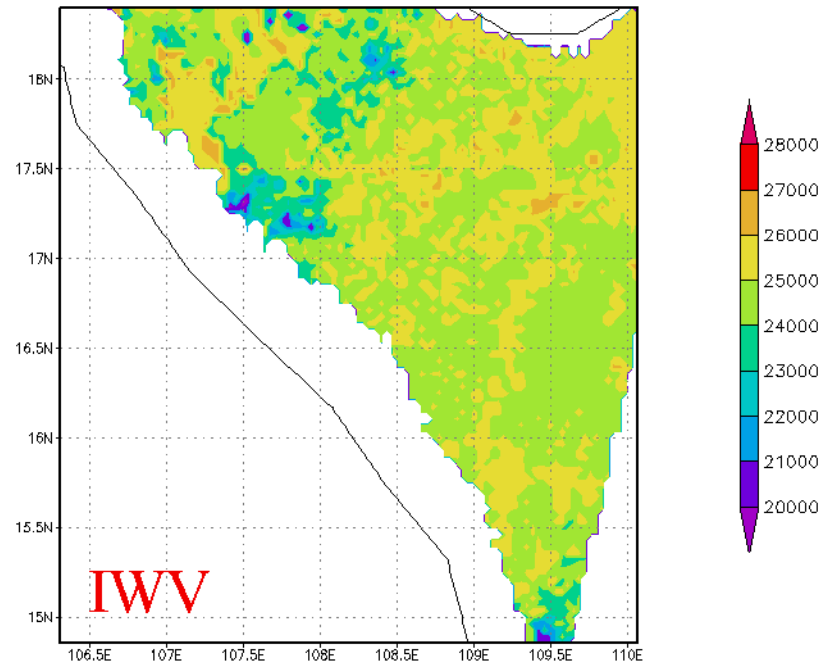
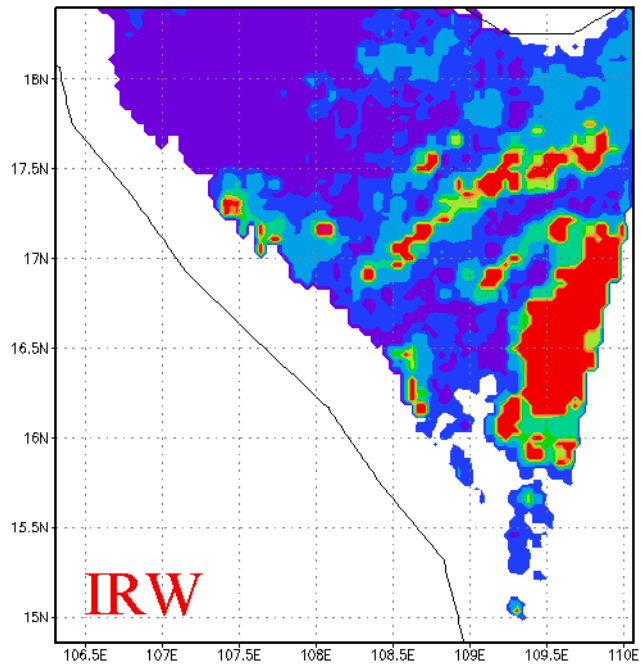


CMD

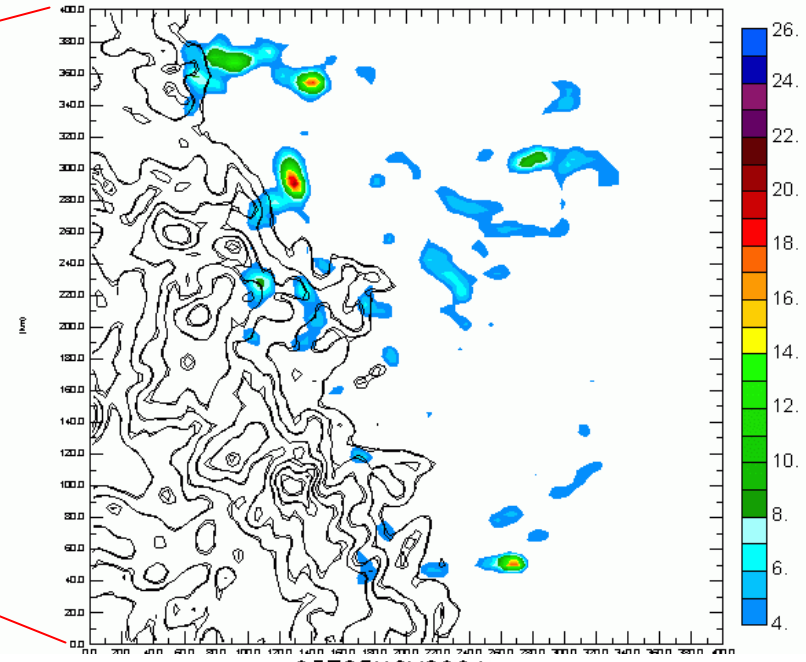
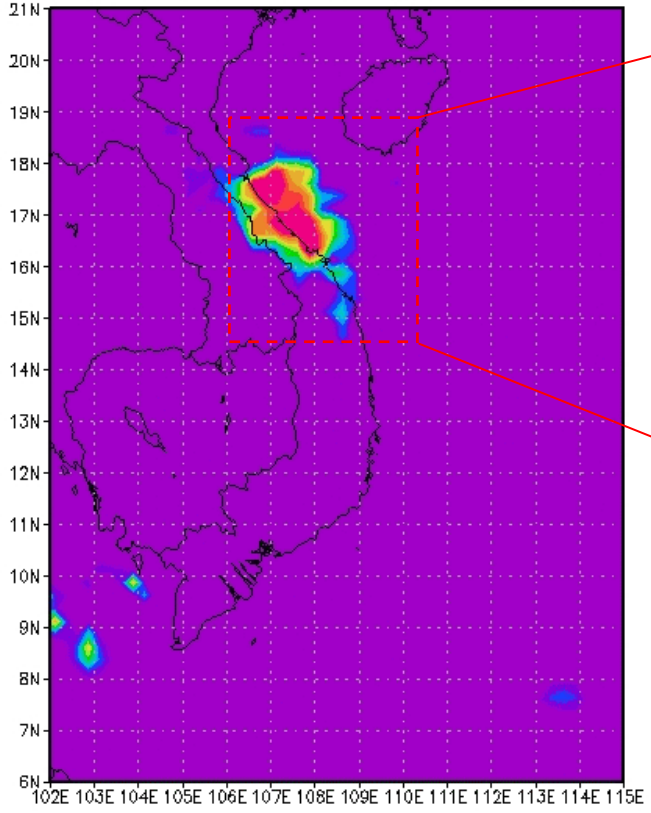


24th Nov 2004

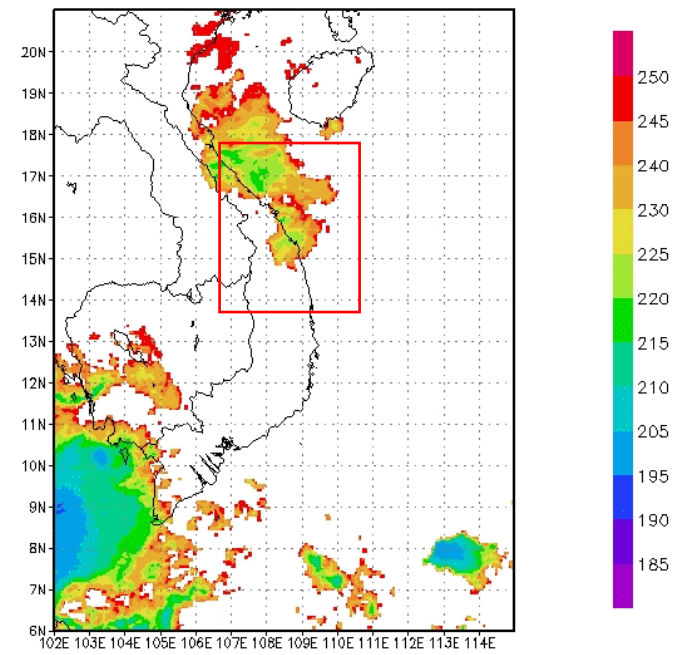




03Z25NOV2004 Three Hourly TRMM Rainfall (3B42)

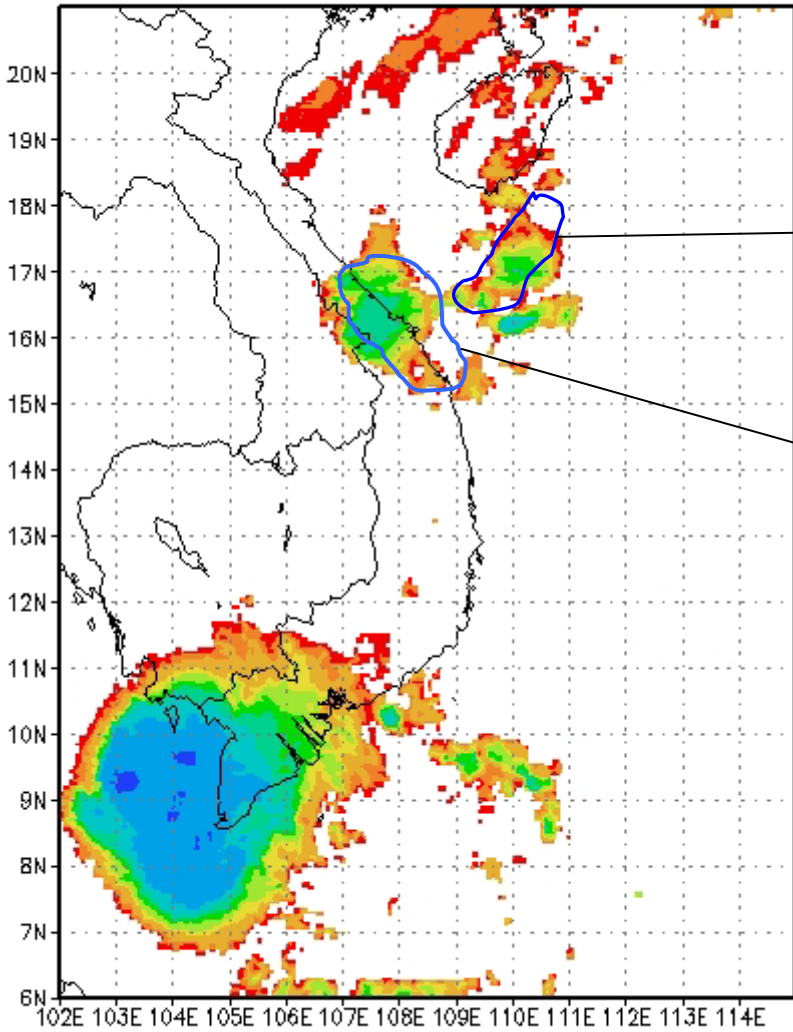


03Z25NOV2004 GOES9 IR 1

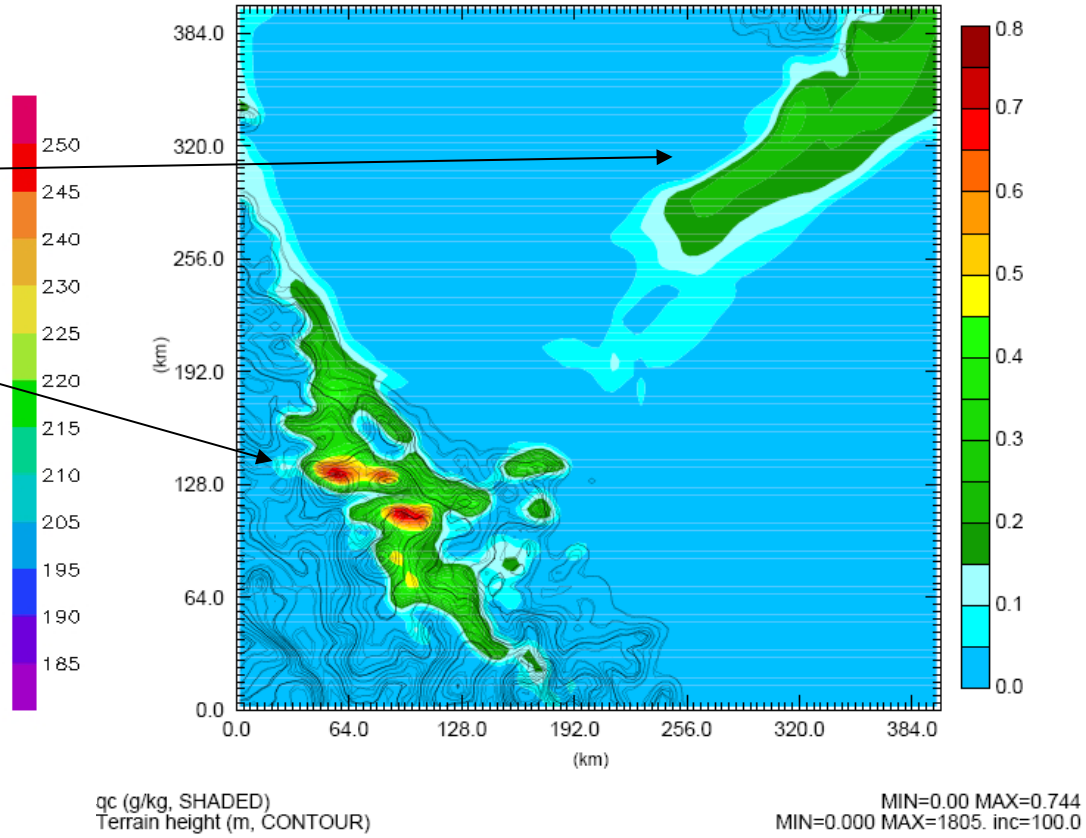


ARPS Before CMDAS

18Z24NOV2004
GOES9 IR1



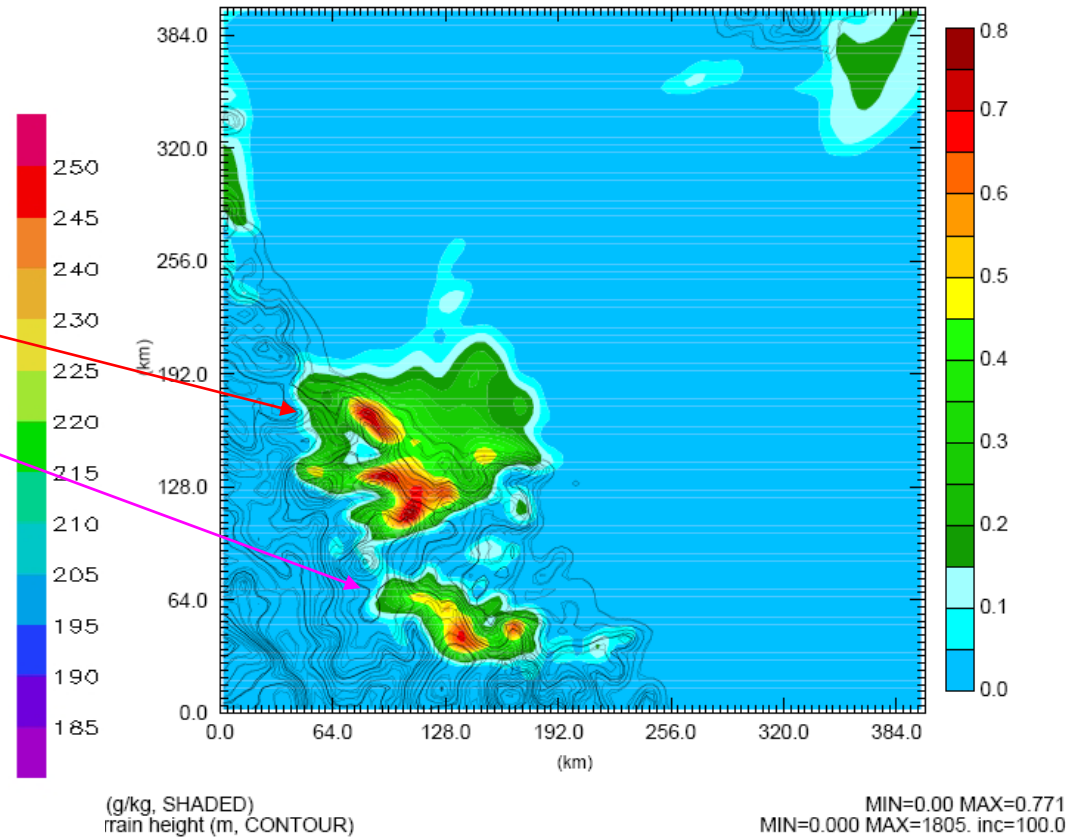
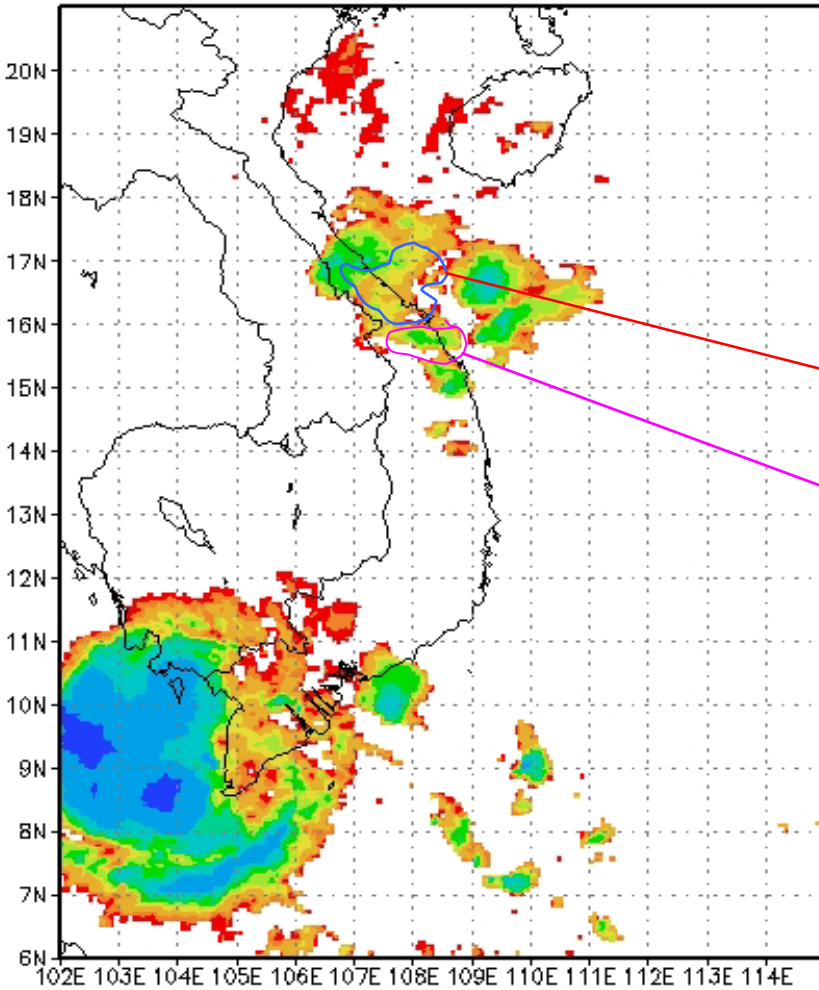
18:30z 24th Nov 2004 (ARPS)



ARPS after CMDAS

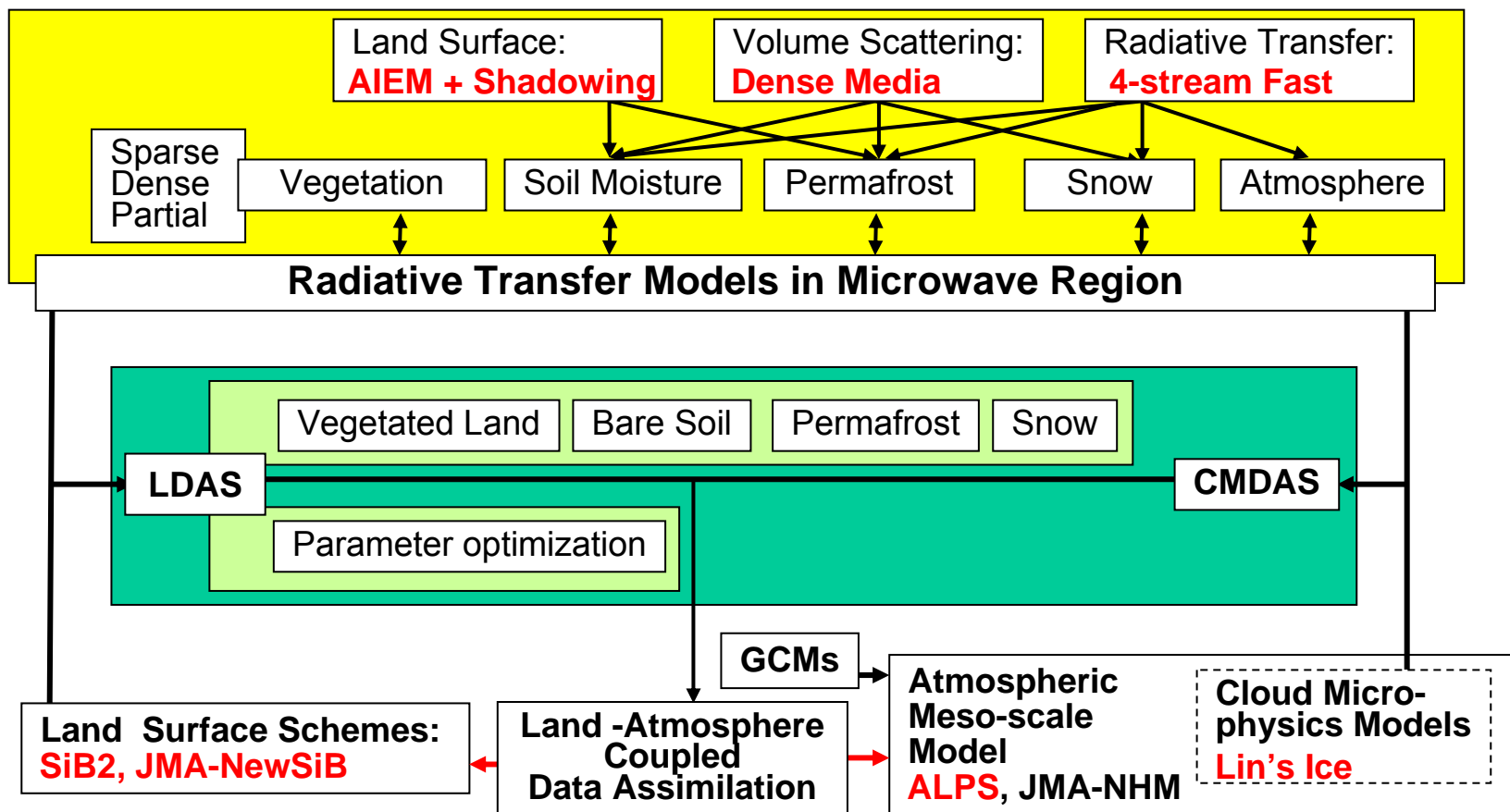


21Z24NOV2004
GOES9 IR1

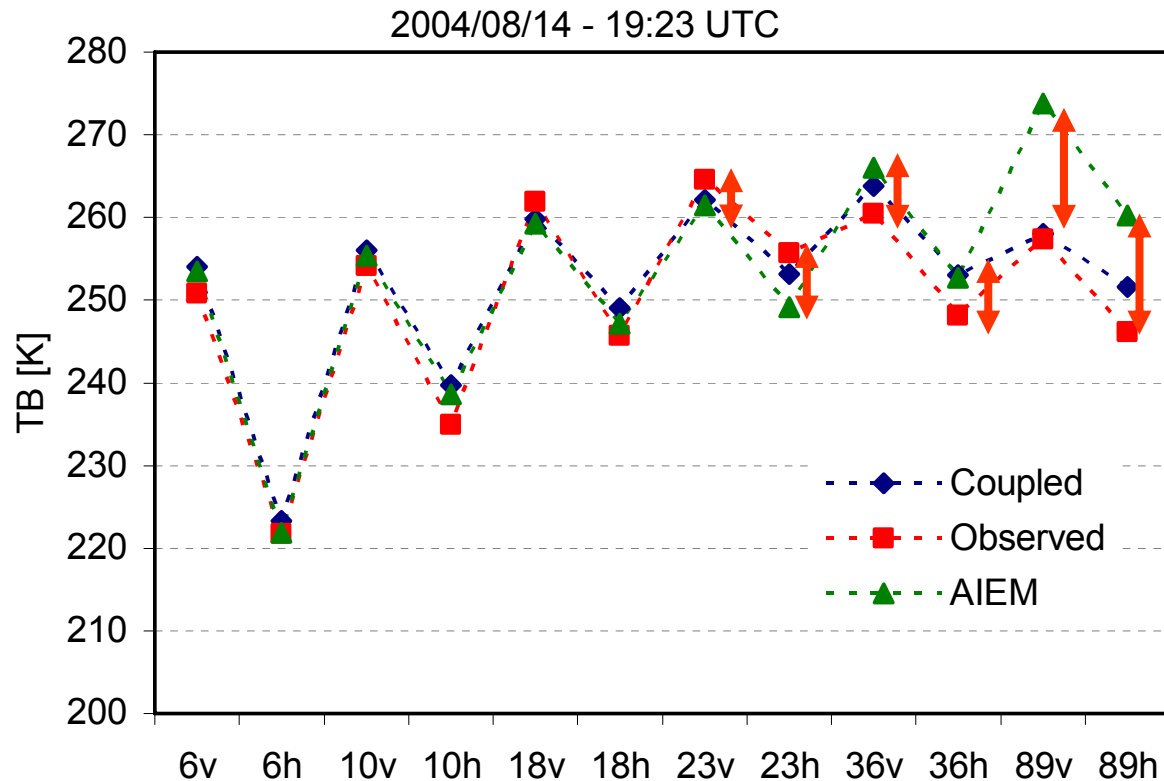


ARPS after CMDAS





Coupled Soil Atmosphere RTM



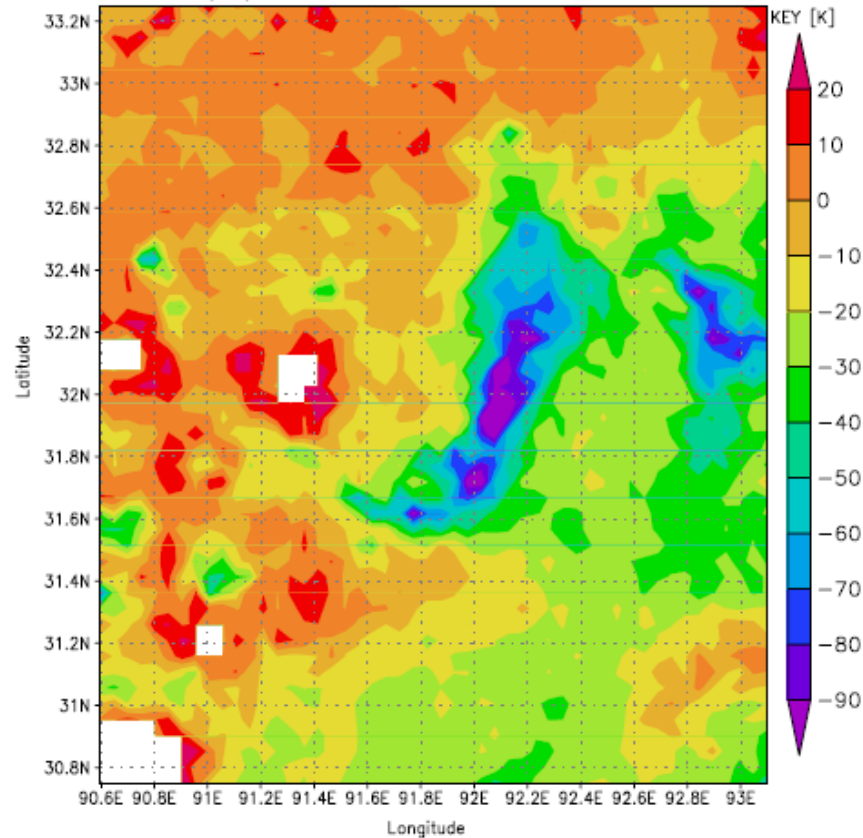
By coupling AIEM with atmosphere RTM we get better agreement. For wetter cases AIEM is sufficient.

Effect of Atmosphere

AMSR-E Sim-Obs 89 GHz Vert. Pol.

DATE: 2004/08/20

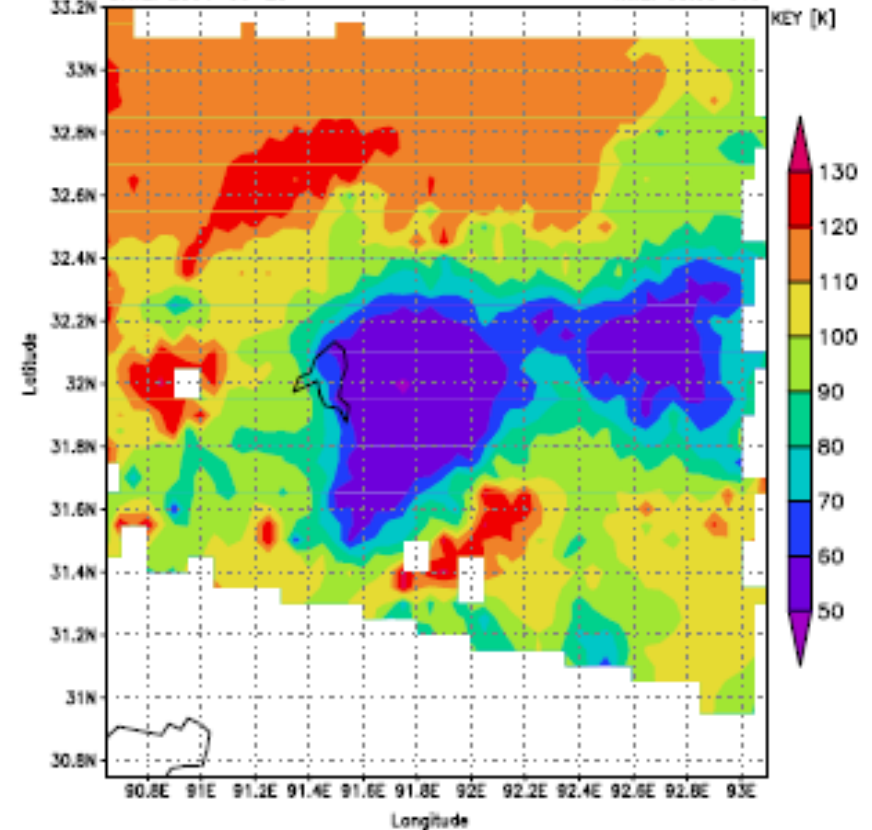
TIME: 06:42 UTC



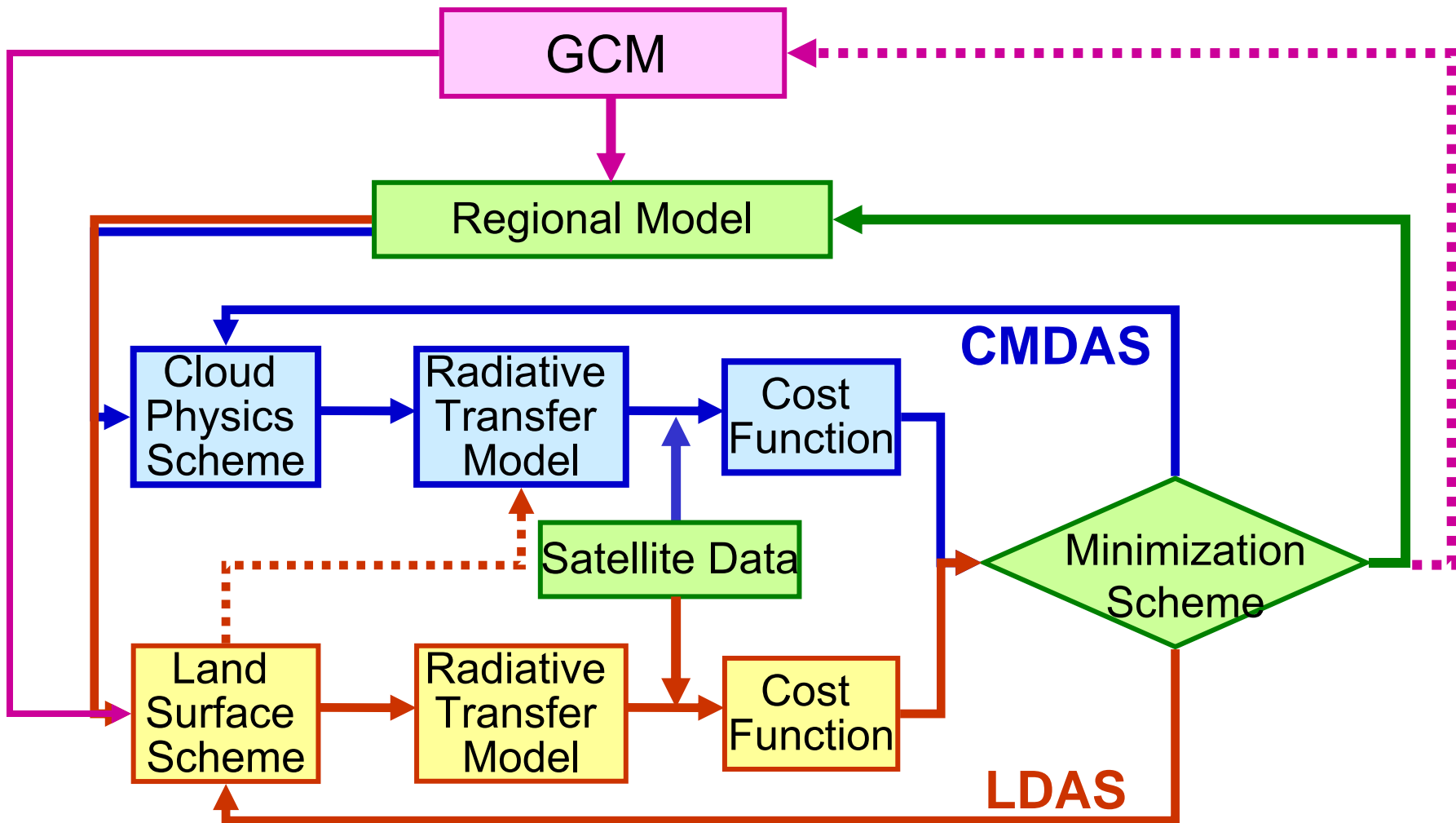
MODIS Cloud Top Temperature

DATE: 2004-08-20

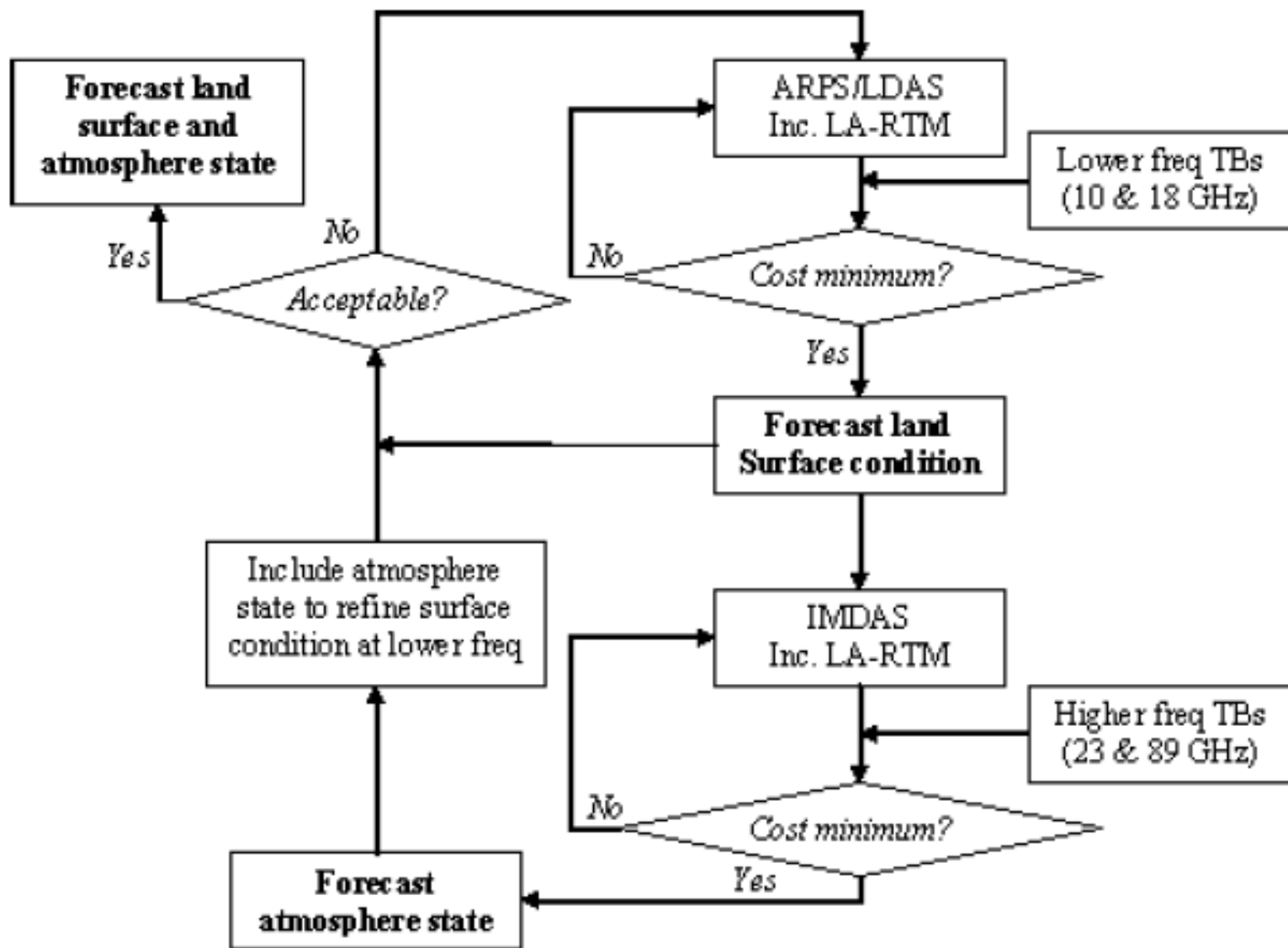
TIME: 05:05 UTC



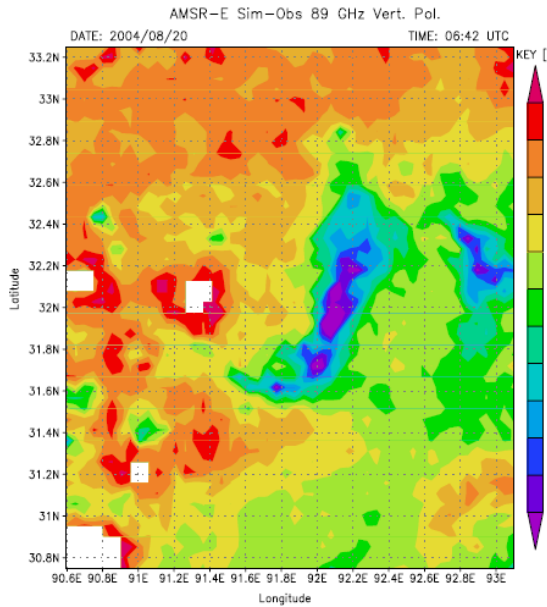
Atmospheric effect derived from AMSR-E vs. MODIS Cloud Top Temperature



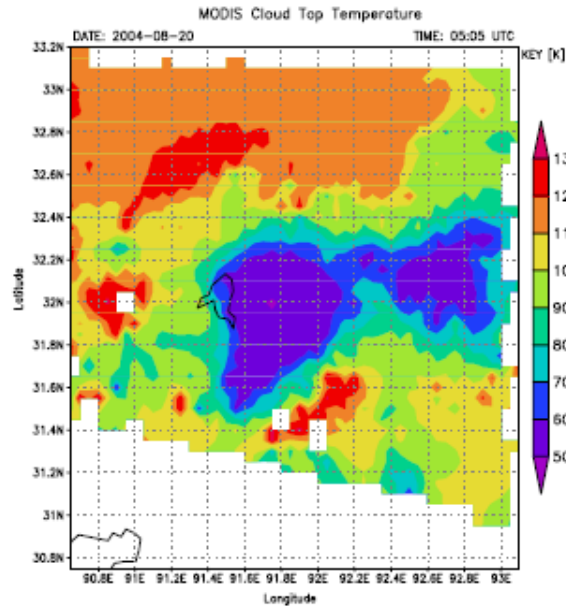
Atmosphere-Land Coupled Data Assimilation System



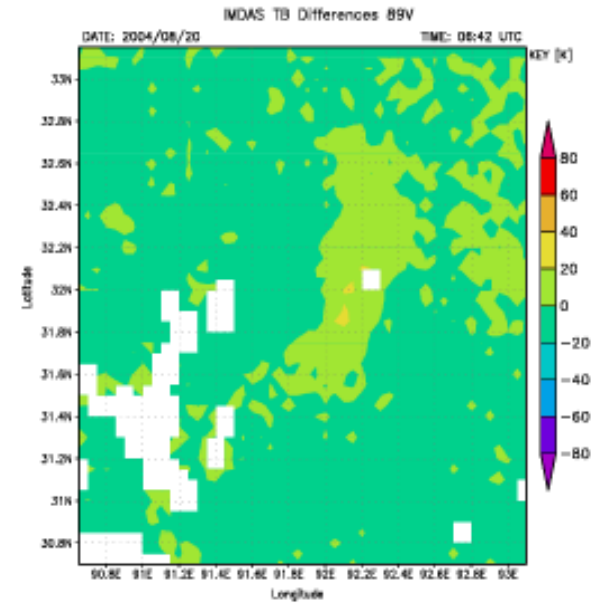
Tb Error



LDAS only



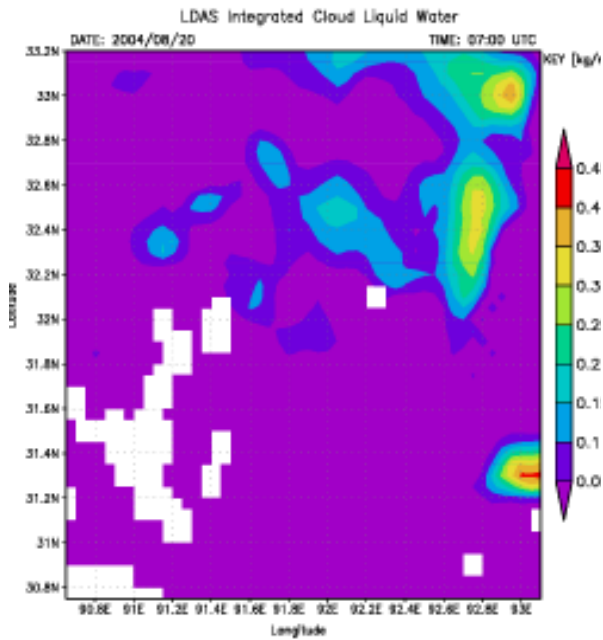
MODIS/IR



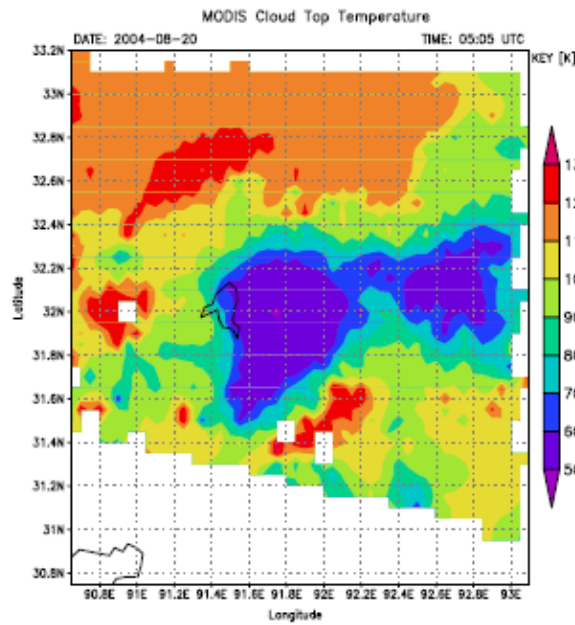
A-L Coupled DAS

Atmospheric effect derived from AMSR-E vs. MODIS Cloud Top Temperature

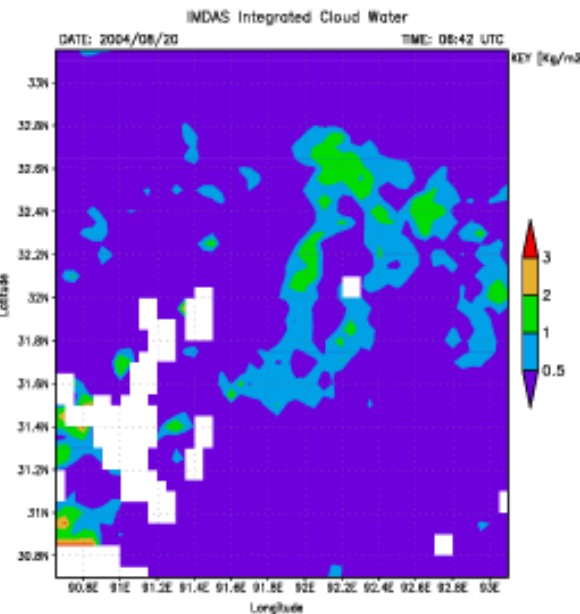
Integrated Cloud Liquid Water



LDAS only



MODIS/IR

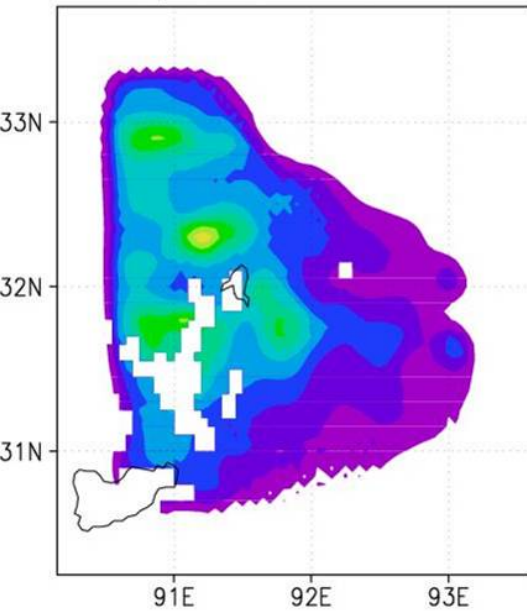


A-L Coupled DAS

Atmospheric effect derived from AMSR-E vs. MODIS Cloud Top Temperature

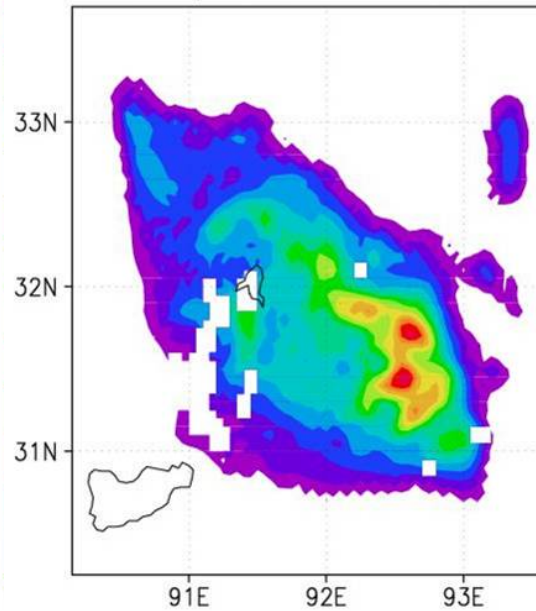
24 hour Prediction of Rainfall over the Tibetan Plateau

ARPS 48HR Forecast (01UTC 21AUG2004)
Precip. Rate without Assimilation

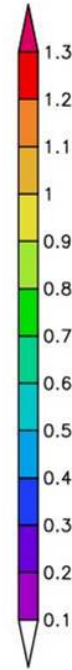


Only Nesting

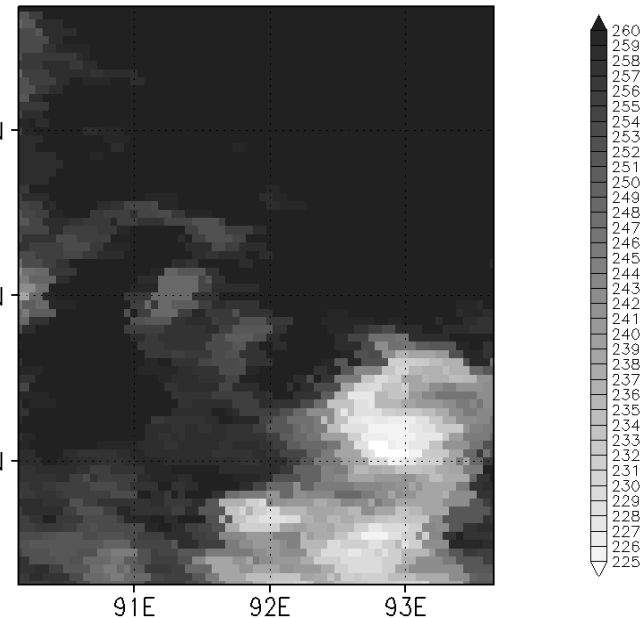
ARPS 48HR Forecast (01UTC 21AUG2004)
Precip. Rate with Assimilation



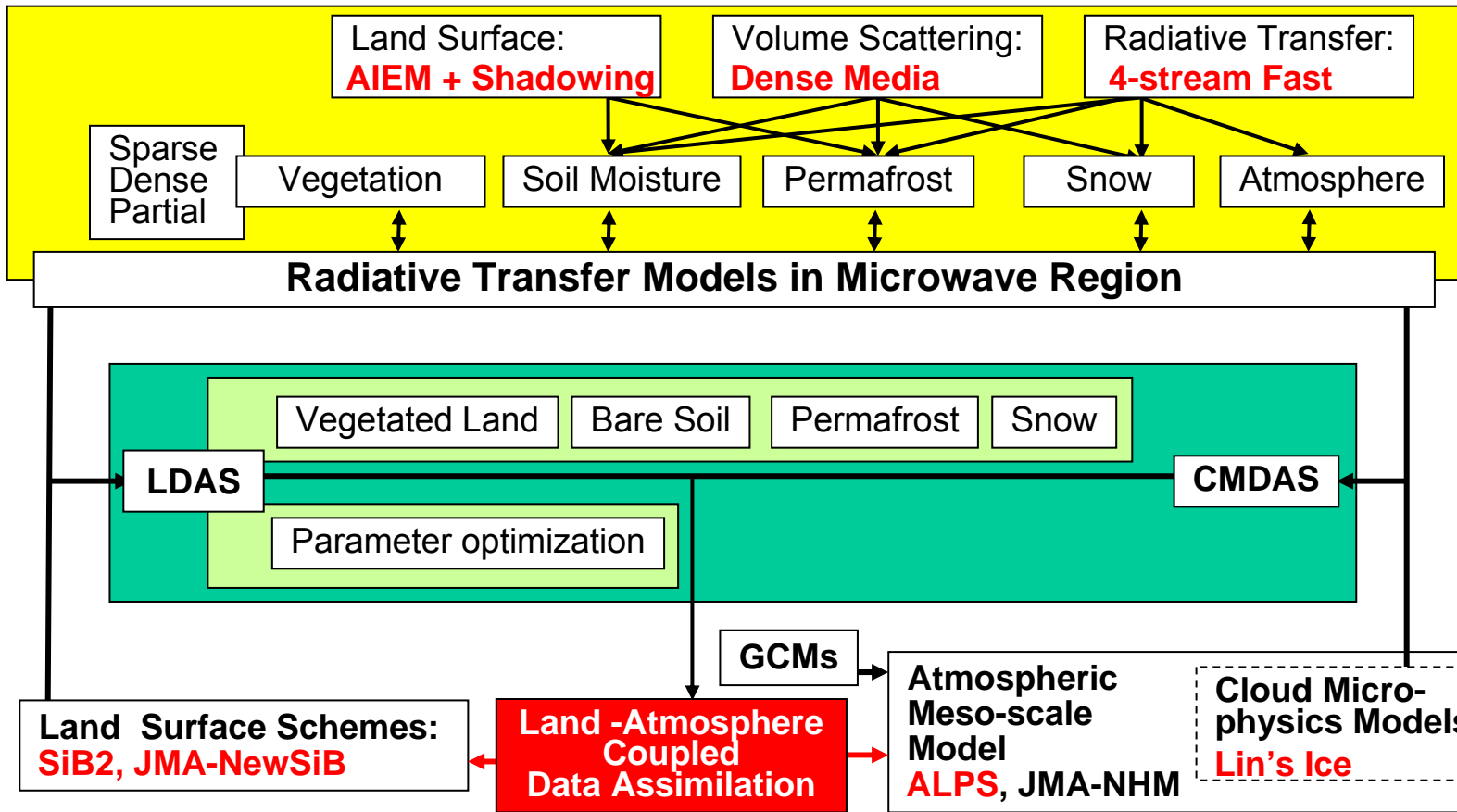
Prediction with
the A-L Coupled
Data Assimilation
As an Initial Condition



GOES-9 IR1 TB 01UTC 21AUG2004



GOES IR

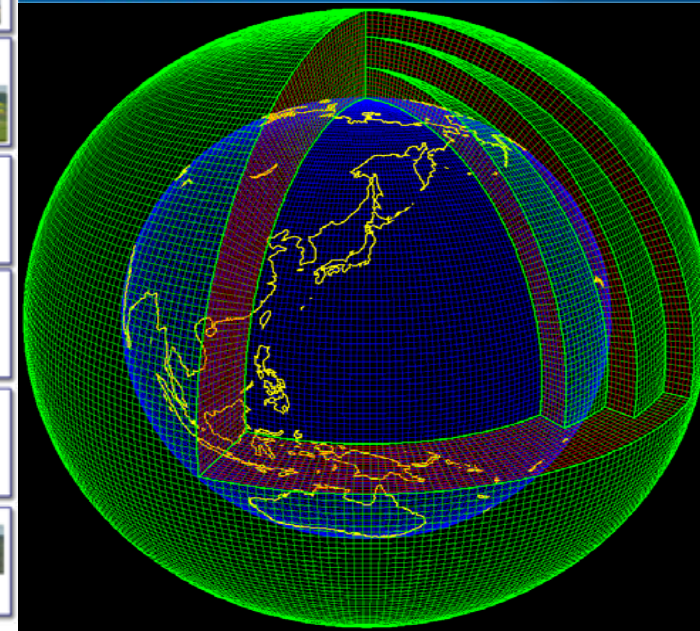
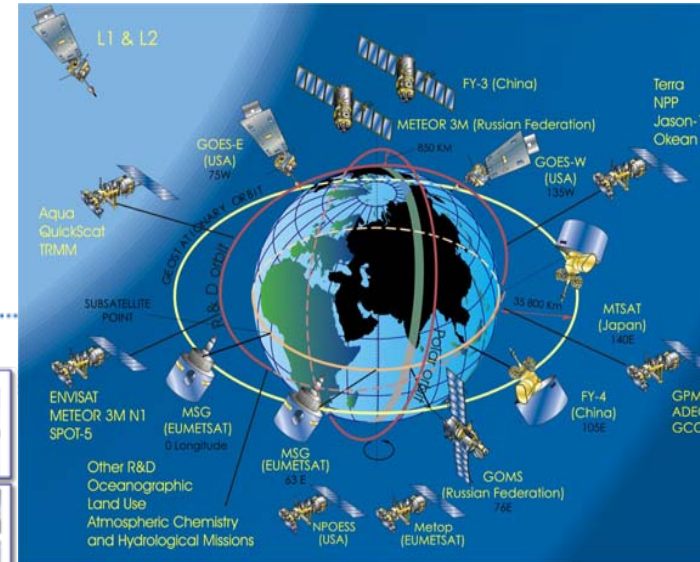
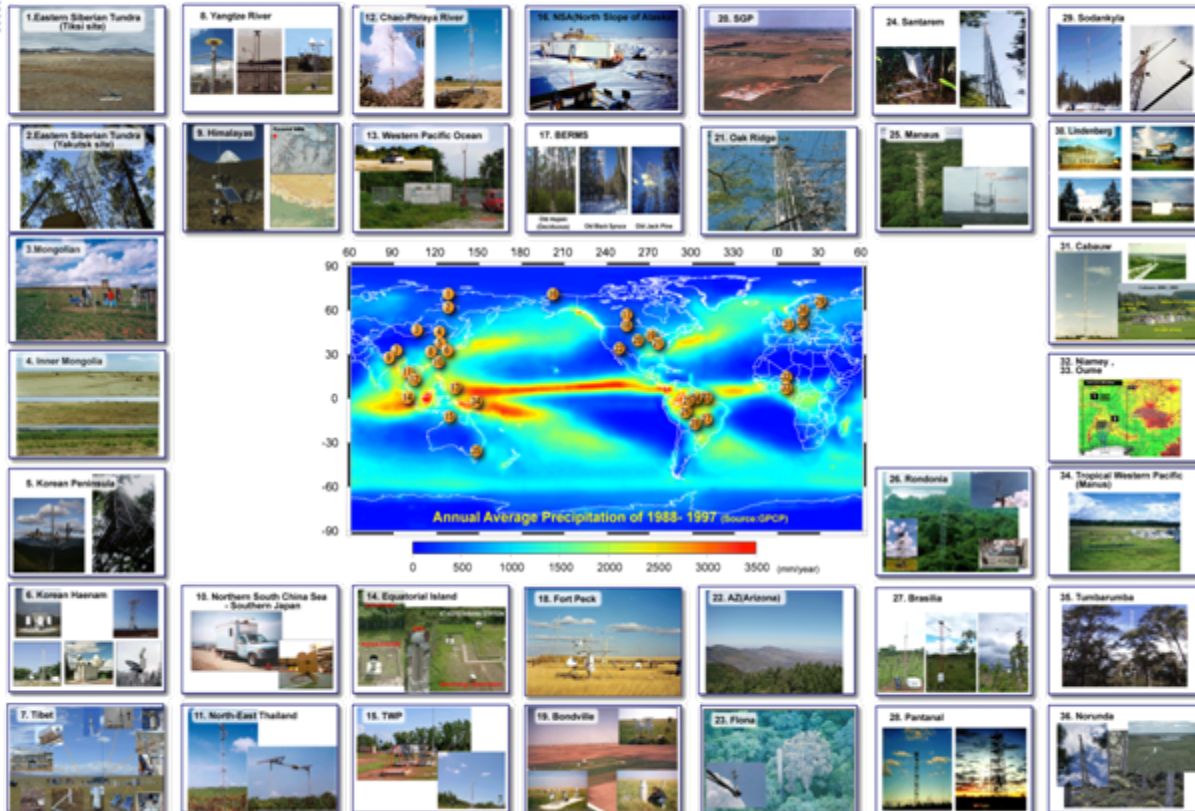


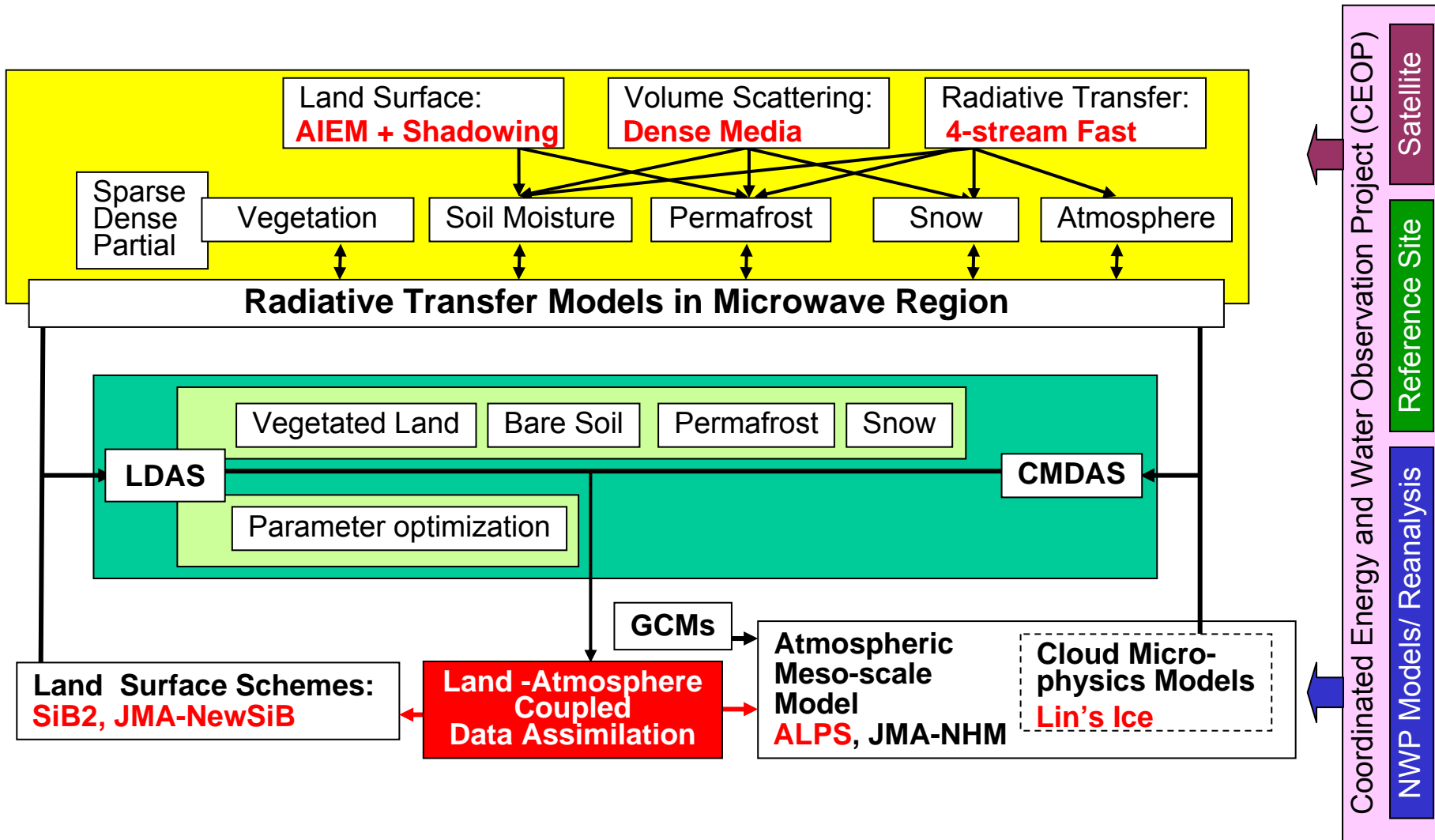


Coordinated Enhanced Observing Three Unique Capabilities

Convergence of Observations *A Prototype of the Global Water Cycle Observation System of Systems*

International Cooperation for the Global Coverage







GMR
1125944

GMR
112509

GMR
1125944



18.7/23.8/36.5/89GHz

GBMR
1125029

MAX. GROSS WT. 11,800 KGS
TARE WT. 8,020 LBS
NET WT. 3,800 KGS
CAPACITY 8,380 LBS

MAX. LOAD 6,000 KGS
MAX. DIM. 7'6" x 4'0" x 8'0"
CAPACITY 188 CU FT

Microwave radiative transfer model for snow

Dense media radiative transfer model (Tsang, 1992)

Dielectric constant (Ice: ϵ_{ice})

Dielectric constant (Air: ϵ_{air})

Snow density (ρ_{snow})

Frequency (f)

Snow grain size (r)

Extinction coefficient k_e

$$K_e = \sqrt{k^2 + \frac{3K^2}{D(K)} \sum_{sl=1}^L f_{sl} y_{sl} \cdot \left(1 + i \frac{2K^3}{3D(K)} \left[a_{sl}^3 y_{sl} + \sum_{sj=1}^L y_{sj} a_{sj}^3 n_{sj} 8\pi^3 H_{sjsl} \right] \right)}$$

$$D(K) = 1 - \sum_{sl=1}^L f_{sl} y_{sl}(K) \quad y_{sl}(K) = \frac{k_{sl}^2 - k^2}{3K^2 + (k_{sl}^2 - k^2)}$$

albedo ω

$$\omega = \frac{2|K\omega|^4}{K_e |D(K\omega)|^2} \sum_{sl=1}^L f_{sl} y_{sl}(K\omega) \cdot \left(a_{sl}^3 y_{sl}^*(K\omega) + \sum_{sj=1}^L y_{sj}^*(K\omega) a_{sj}^3 n_{sj} 8\pi^3 H_{sjsl} \right)$$

$$K\omega = \sqrt{k^2 + \frac{3K\omega^2}{D(K\omega)} \sum_{sl=1}^L f_{sl} y_{sl}(K\omega)}$$

4-stream fast radiative transfer model (Liu, 1998)

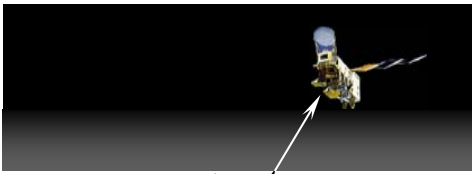
Temperature (t_{snow} , t_{soil})

Snow depth (d)

Soil moisture (m_v)

Soil density (ρ_{soil})

Dielectric constant (Soil: ϵ_{soil})



Brightness temperature

$$I(\tau, -\mu) = I(0, -\mu) e^{-\tau/\mu} + \sum_n L_j W_j(-\mu) \left(e^{-k_j \tau} - e^{-\tau/\mu} \right) + Z_0 \left(1 - e^{-\tau/\mu} \right) - B_1 \left[\tau - \mu \left(1 - e^{-\tau/\mu} \right) \right]$$

$$I(\tau, +\mu) = I(\tau^*, +\mu) e^{-(\tau^* - \tau)/\mu} + \sum_n L_j W_j(\mu) \left(e^{-k_j \tau} - e^{-[k_j \tau^* + (\tau^* - \tau)/\mu]} \right) + Z_0 \left(1 - e^{-(\tau^* - \tau)/\mu} \right) - B_1 \left[(\tau^* - \tau) - \mu \left(1 - e^{-(\tau^* - \tau)/\mu} \right) \right]$$

$$I(\tau, +\mu) = I(\tau^*, +\mu) e^{-(\tau^* - \tau)/\mu} + \sum_n L_j W_j(\mu) \left(e^{-k_j \tau} - e^{-[k_j \tau^* + (\tau^* - \tau)/\mu]} \right) + Z_0 \left(1 - e^{-(\tau^* - \tau)/\mu} \right) - B_1 \left[(\tau^* - \tau) - \mu \left(1 - e^{-(\tau^* - \tau)/\mu} \right) \right]$$

積雪層
土壤層

$$I(\tau^*, +\mu)$$

Models

- Model Operator - JMA New-SiB:
 - Assuming Bare Soil => Khatassy (open Field)
 - Simple grain growth model
 - Model Run from: Nov. 15 to March 15
Assimilation was initialized using Model Start in October
- Observation Operatore - RTM:
 - MEMLS
= Microwave Emission Model for Layered Snowpacks
 - Linear conversion between grain size and correlation length
 - Dry Soil, but actually Frozen Soil
 - No Effect of Vegetation
 - No Atmospheric Correction

Simple Grain Growth Model

- Rachel Jordan, 1991:
- Dry Snow – Kinetic Growth:

$$\frac{\delta d}{\delta t} = \frac{g_1 |U_v|}{d} = \frac{g_1}{d} D_{EOS} \left(\frac{1000}{P_a} \right) \left(\frac{T}{273.15} \right)^6 C_{kT} \left| \frac{\delta T}{\delta t} \right|$$

- Wet Snow

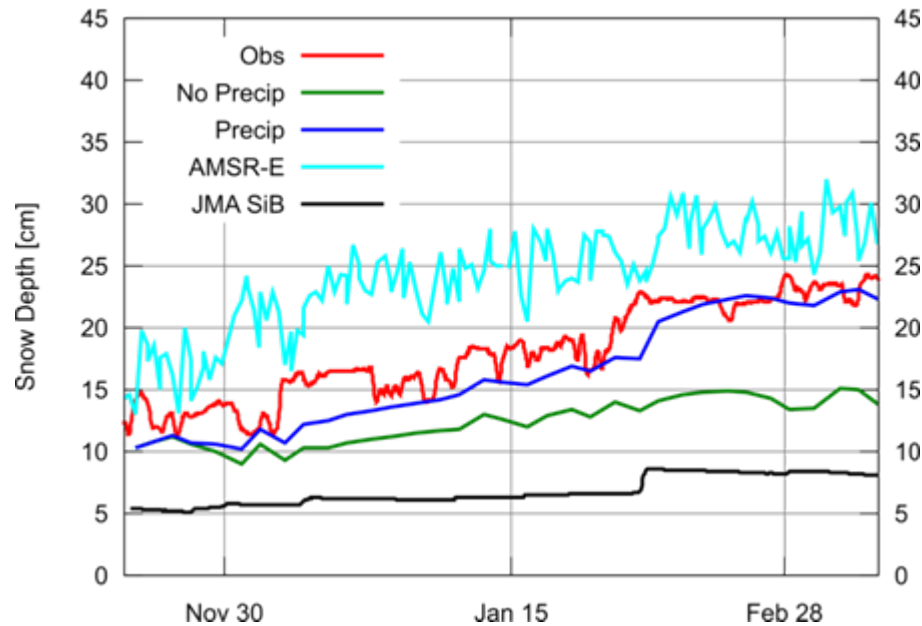
- $\frac{\theta < 0.09}{0.09}$: $\frac{\delta d}{\delta t} = \frac{g_2}{d} (\theta_l + 0.05)$

$$\frac{\delta d}{\delta t} = 0.14 \frac{g_2}{d}$$

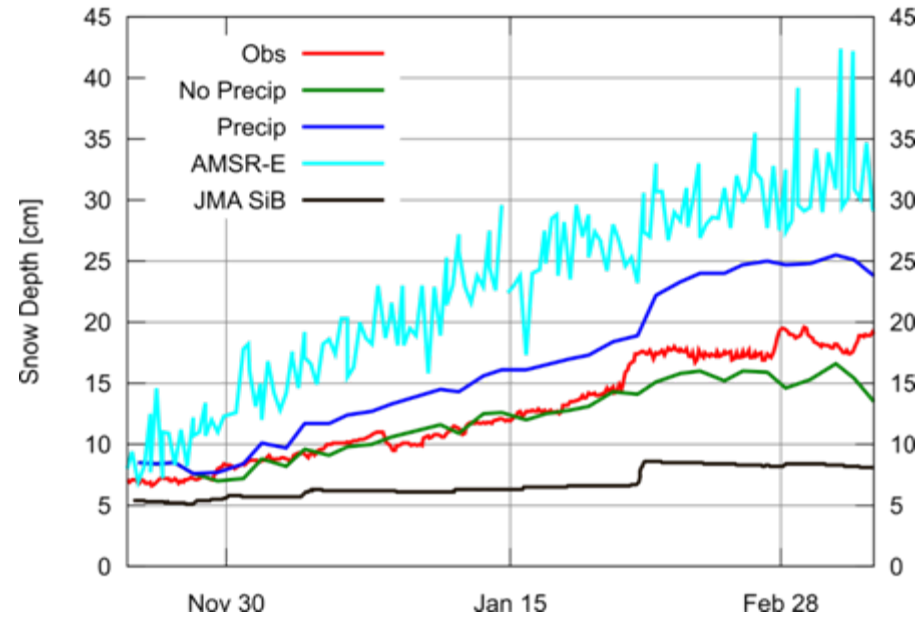
- Basic features

- Temperature Gradient - dr/dt increases
- High Temperature - dr/dt increases
- large Grain Size - dr/dt decreases
- Wetness - dr/dt increases
- Does not consider Equitemperature, but small anyway compared to Kinetic Grain Growth

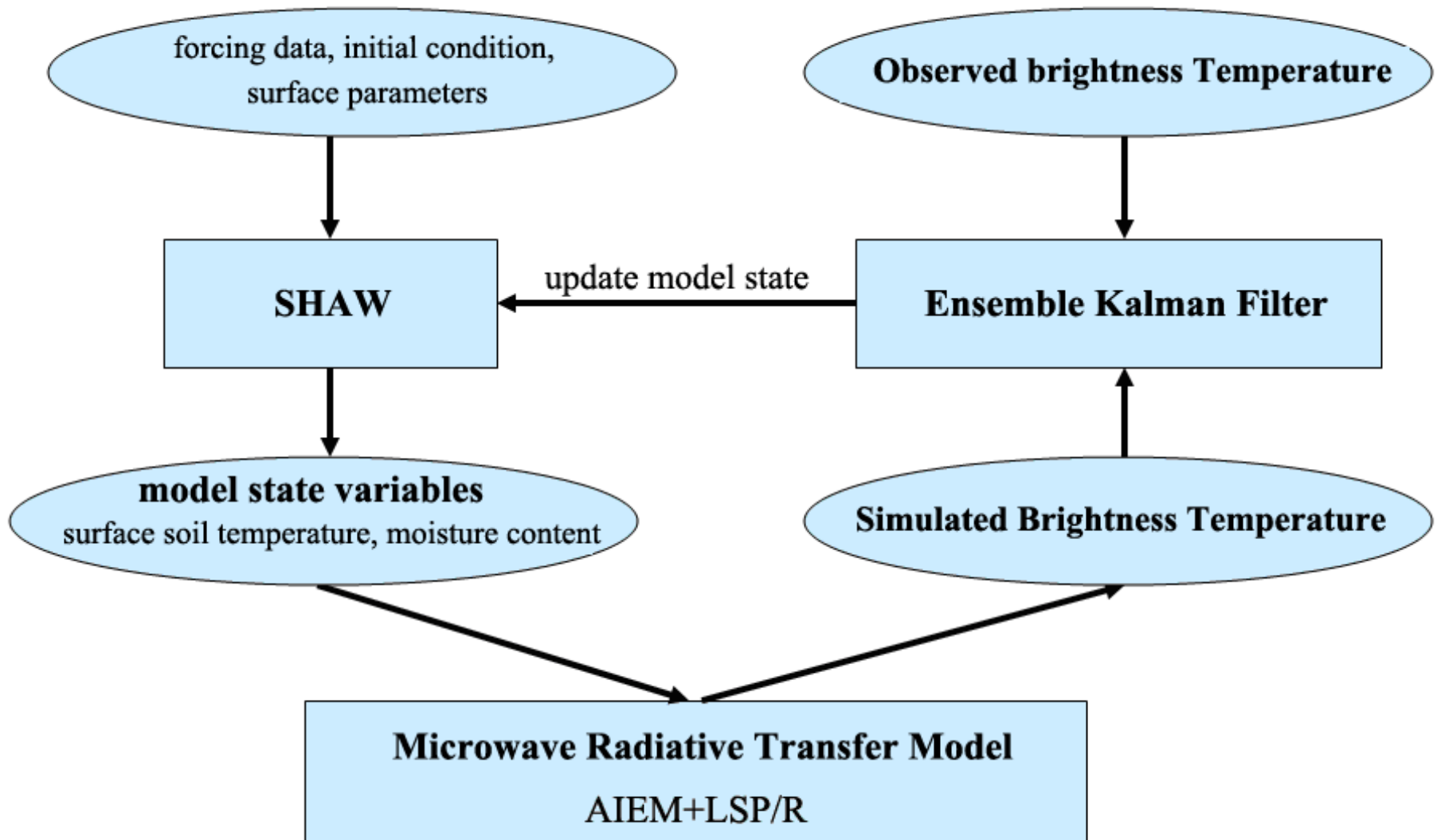
Validation of Snow-LDAS in Yakutsk



2003-2004

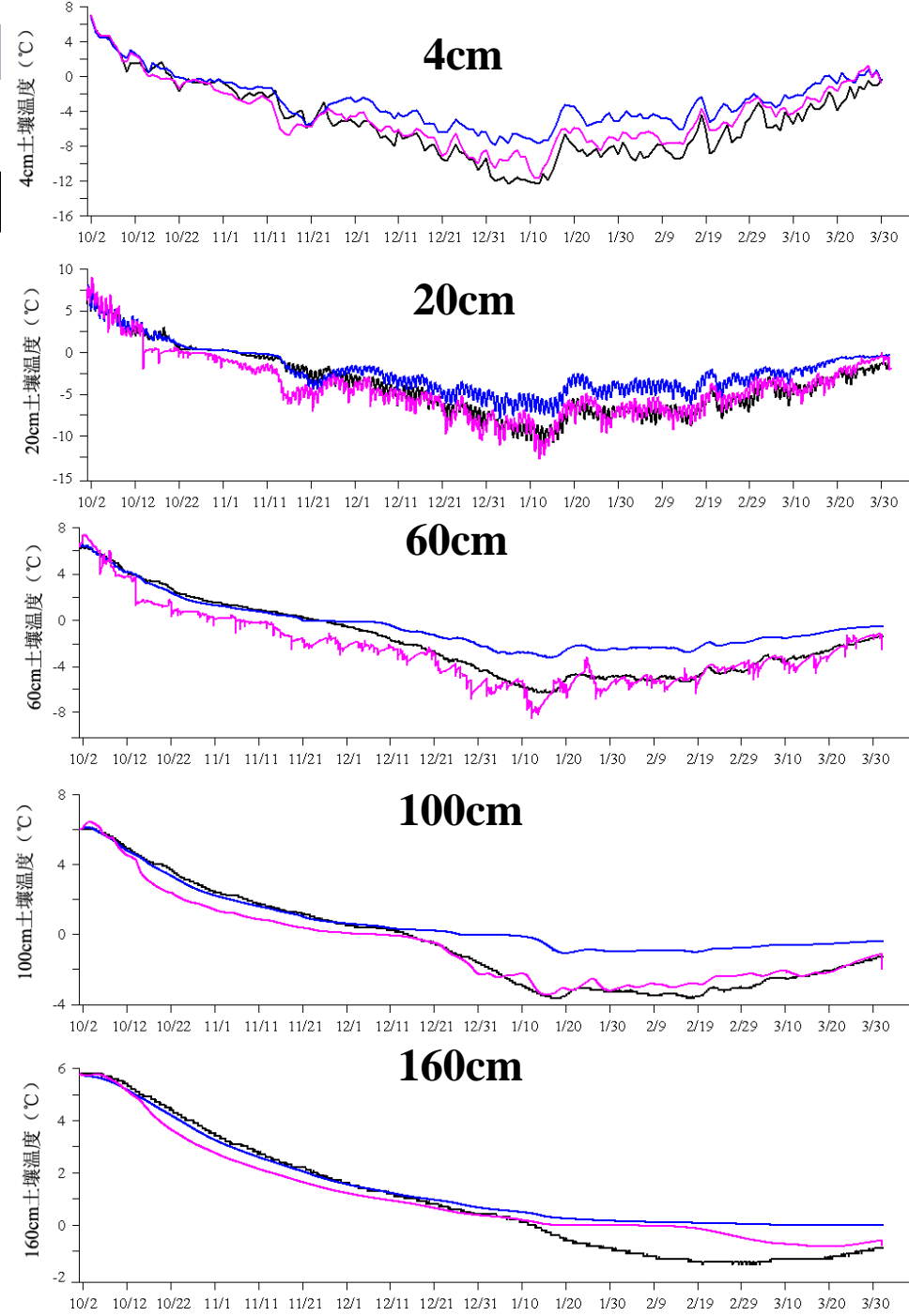


2004-2005



Assimilation Result of the soil tem.

After assimilating SSM/I 19GHz brightness temperature, the RMSE of soil temperature in winter decrease 0.76K.



Frozen soil

MODIS snow-cover products (NASA, Hall et. al.)

Soil or Soil + snow

Initial profile parameters

Metrological forcing data
Observed brightness temperature data
Vegetation data

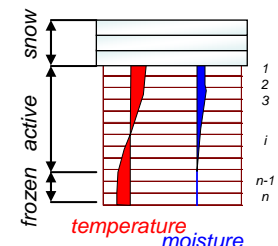
Soil Soil structure profile data

Snow Snow density profile data

Snow

- New snow grain size (g_t, n)
- Effective diffusion coefficient of water vapor in snow (D_{eos})
- Variation of saturation vapor pressure (C_{KT})
- Temperature gradient in snow pack (dT/dz)
- Air pressure (Pa)
- Empirical grain growth parameter (g_1)

Frozen soil layer length



Observed brightness temperature T_{bo}

Ensemble Kalman Filter

Simulated brightness temperature T_{bs}

YES

$T_{bo} \div T_{bs}$

NO

Update variable parameters

JMA-SiB

Snow grain growth model

Variable profile parameters

Soil Soil moisture
Soil temperature

Snow Snow temperature
Snow layer length
Snow grain size

RTM

Frozen Soil

- Dielectric constant profile data $\epsilon(\text{soil+ice+air})$
- Soil particle size profile data

DMRT

Frozen Soil

- Extinction coefficient profile data $[Ke_{fs}(i)]$
- Albedo profile data $[\omega_{fs}(i)]$

Snow

- Extinction coefficient profile data $[Ke_{sn}(i)]$
- Albedo profile data $[\omega_{sn}(i)]$

4 stream fast model

T_b^-

AIEM

e_b

4 stream fast model